

High Energy Dilepton Experiments

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**HGS-HIRe Lecture Week
Manigod
24-31 January 2010**

Experiments @ RHIC



RHIC

- RHIC = Relativistic Heavy Ion Collider
- located at Brookhaven National Laboratory



RHIC and its experiments

- what's so special about RHIC?
 - it's a collider
 - no thick targets
 - detector systematics do not depend on E_{CM}
 - p+p: $\sqrt{s} \leq 500$ GeV (polarized beams)
 - A+A: $\sqrt{s_{\text{NN}}} \leq 200$ GeV (per NN pair)



- experiments with specific focus
 - BRAHMS (until Run-6)
 - PHOBOS (until Run-5)
- multi purpose experiments
 - PHENIX
 - STAR

Low mass e^+e^- : prospects @ RHIC

- 2 scenarios @ SPS profit from high baryon density

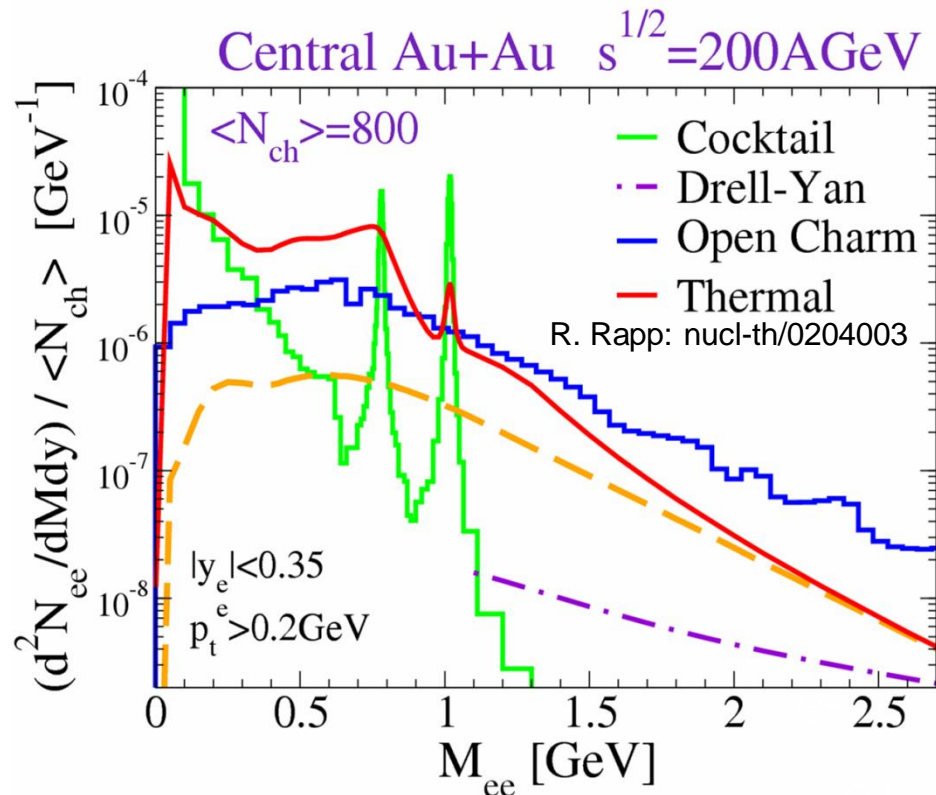
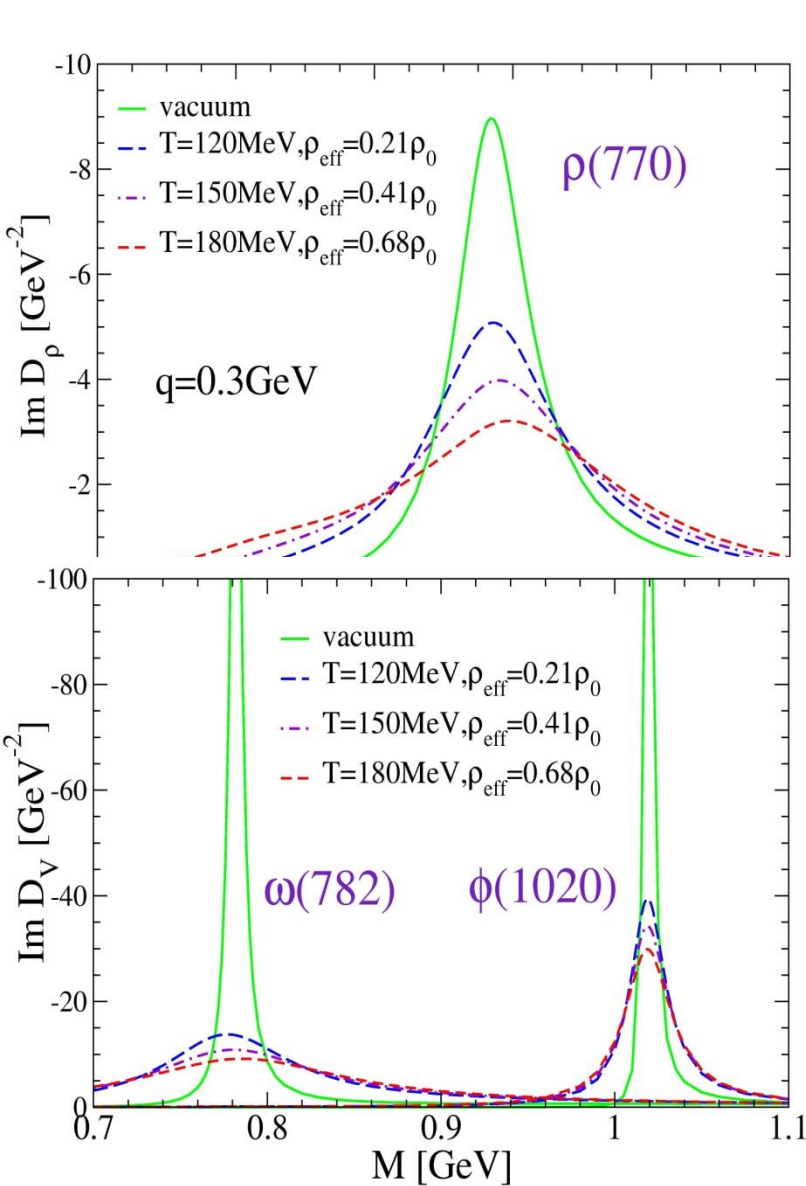
- dropping ρ mass
- broadening of ρ

- what to expect at RHIC?

	SPS (Pb-Pb)	RHIC (Au-Au)
$dN(\bar{p}) / dy$ produced baryons (p, \bar{p}, n, \bar{n})	6.2 24.8	20.1 80.4
$p - \bar{p}$ participants nucleons $(p - \bar{p})A/Z$	33.5 85	8.6 21.4
	110	102

- baryon density: almost the same at SPS & RHIC
(although the NET baryon density is not!)

e^+e^- : theoretical guidance at RHIC



- in-medium modifications of vector mesons persists
- open charm contribution becomes significant

The founding fathers' view



- before 1991

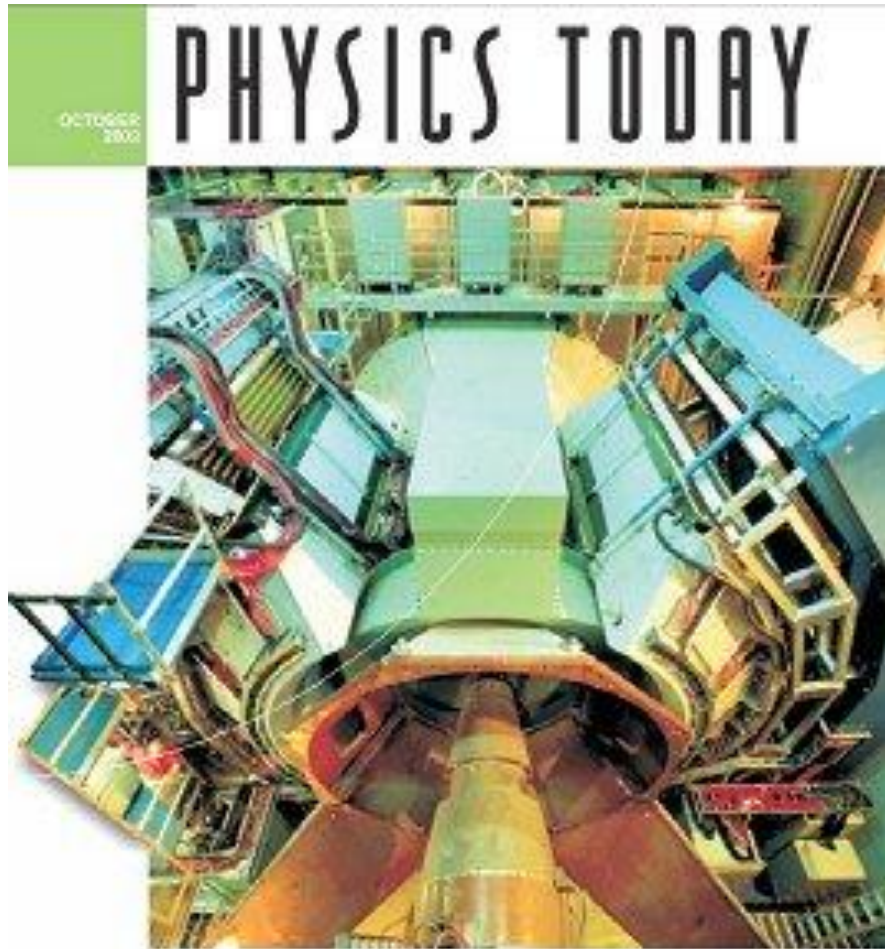
- proposals for various experiments at RHIC
 - STAR, TALEs, SPARC, OASIS, DIMUON ...
 - except for STAR everything else is burned down
- from the ashes rises PHENIX
 - Pioneering High Energy Nuclear Interaction eXperiment

- 1991: PHENIX “conceptual design report”

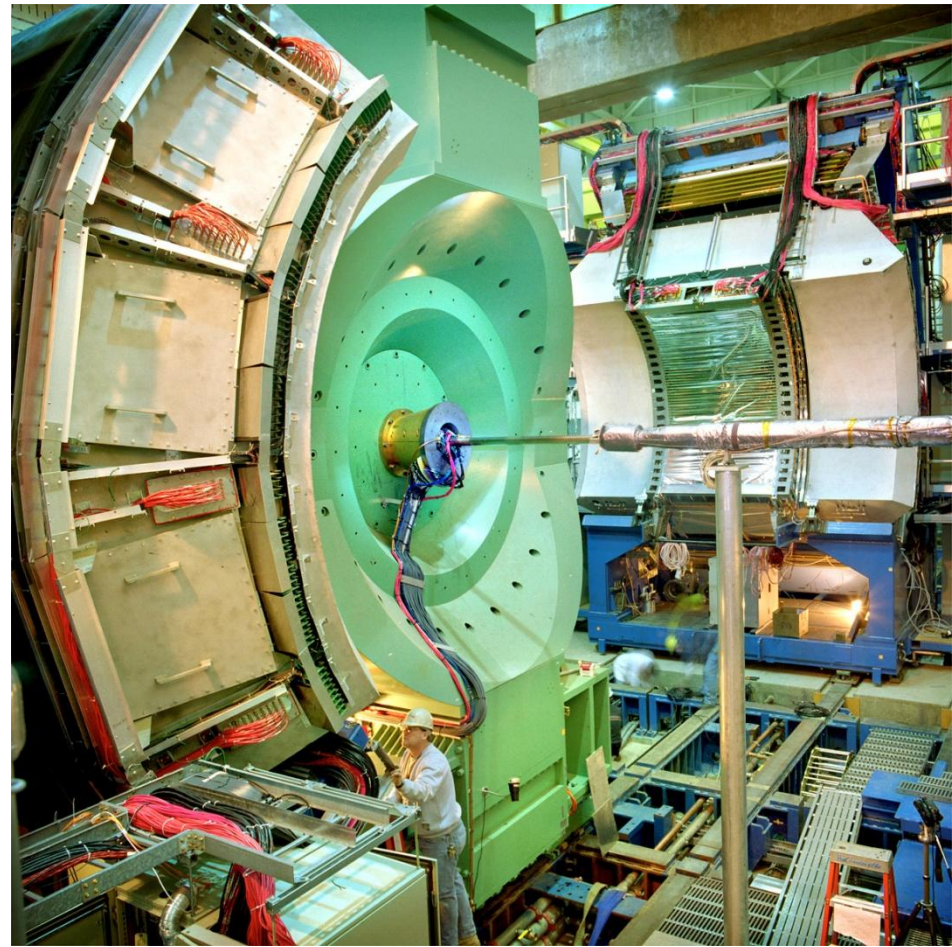
- philosophy
 - measure simultaneously as many observables relevant for QCD phase transitions as you can imagine
 - all but one: low-mass dielectrons
- why no dielectrons?
 - included in first TALEs proposal
 - considered to be “too difficult” for PHENIX

- a lot of work can make impossible things happen

PHENIX in practice

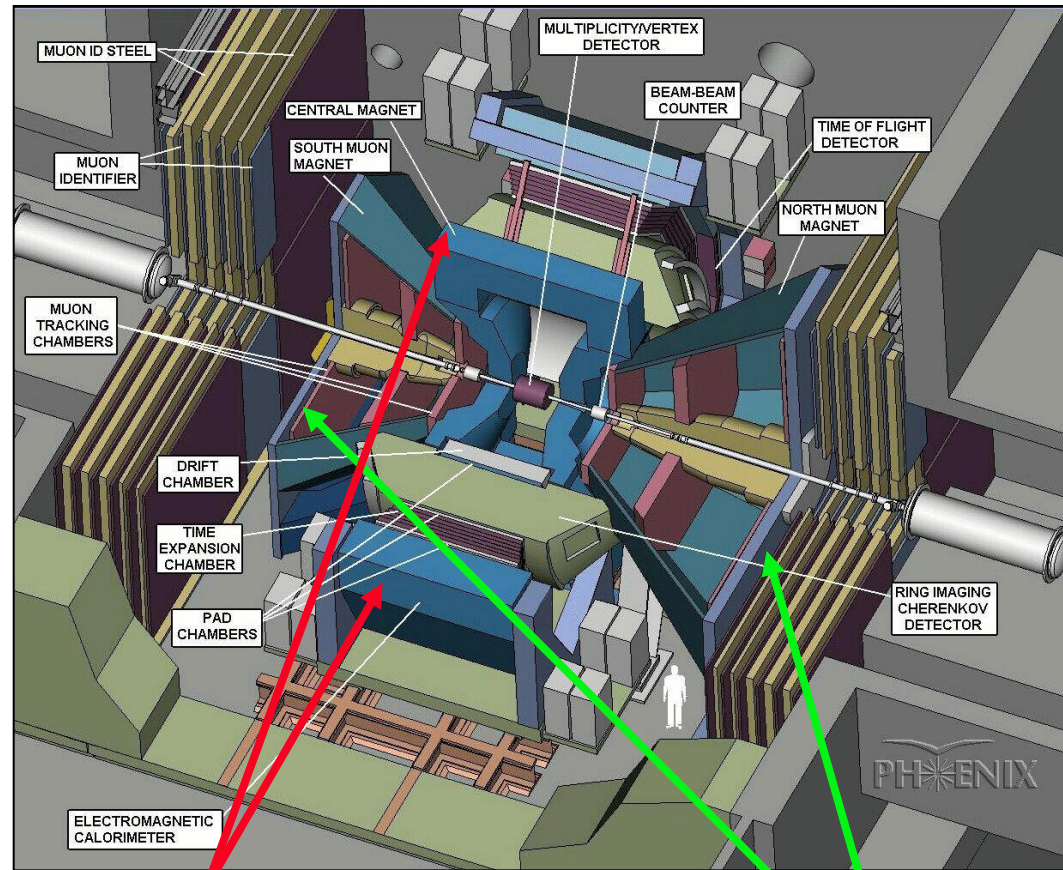


Nuclear matter in extremis



PHENIX in principle

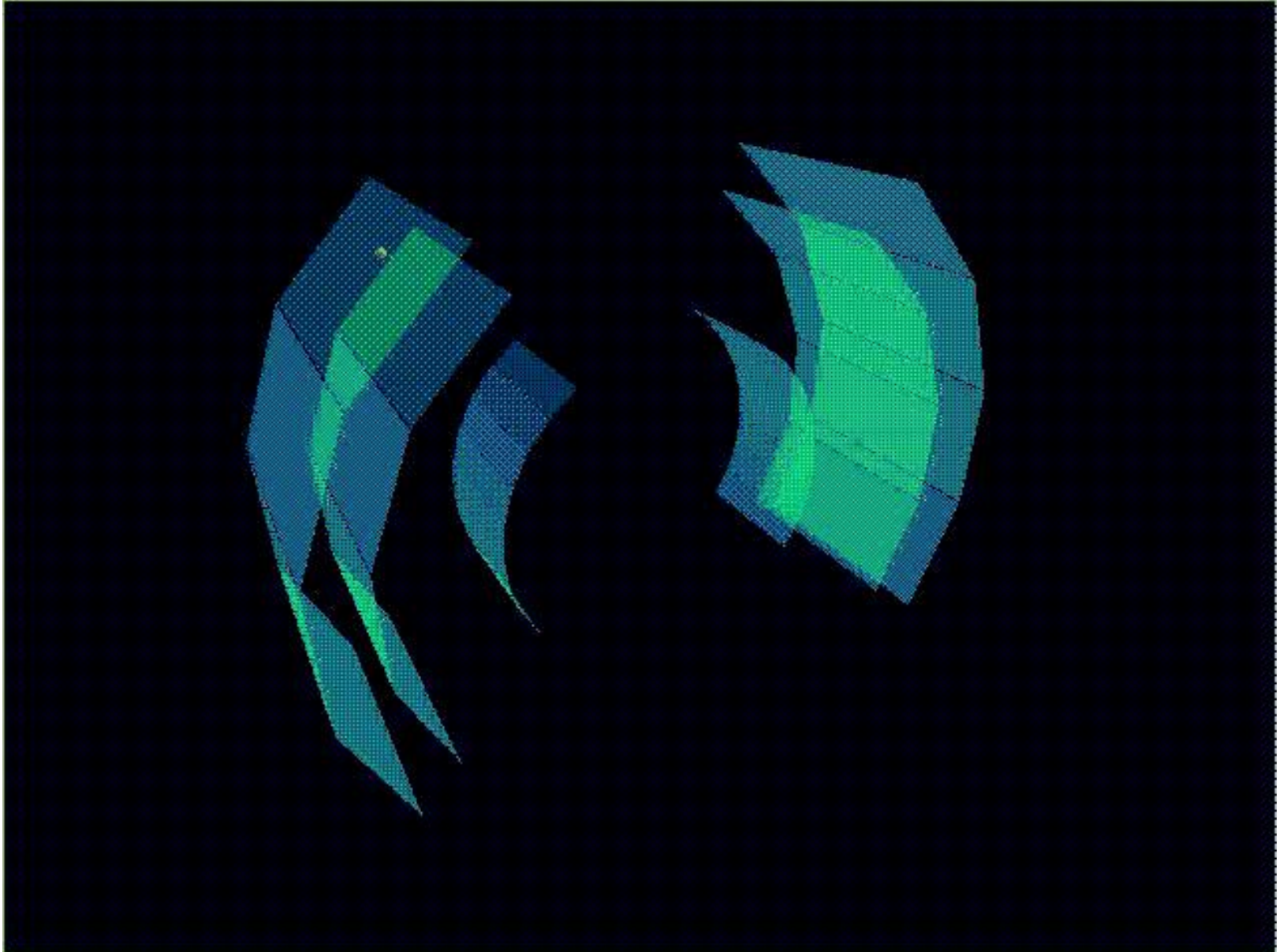
- 3 detectors for global event characterization
- central spectrometers
 - measurement in range:
 $|\eta| \leq 0.35$
 $p \geq 0.2 \text{ GeV}/c$
- forward spectrometers
 - muon measurement in range:
 $1.2 < |\eta| < 2.4$
 $p \geq 2 \text{ GeV}/c$



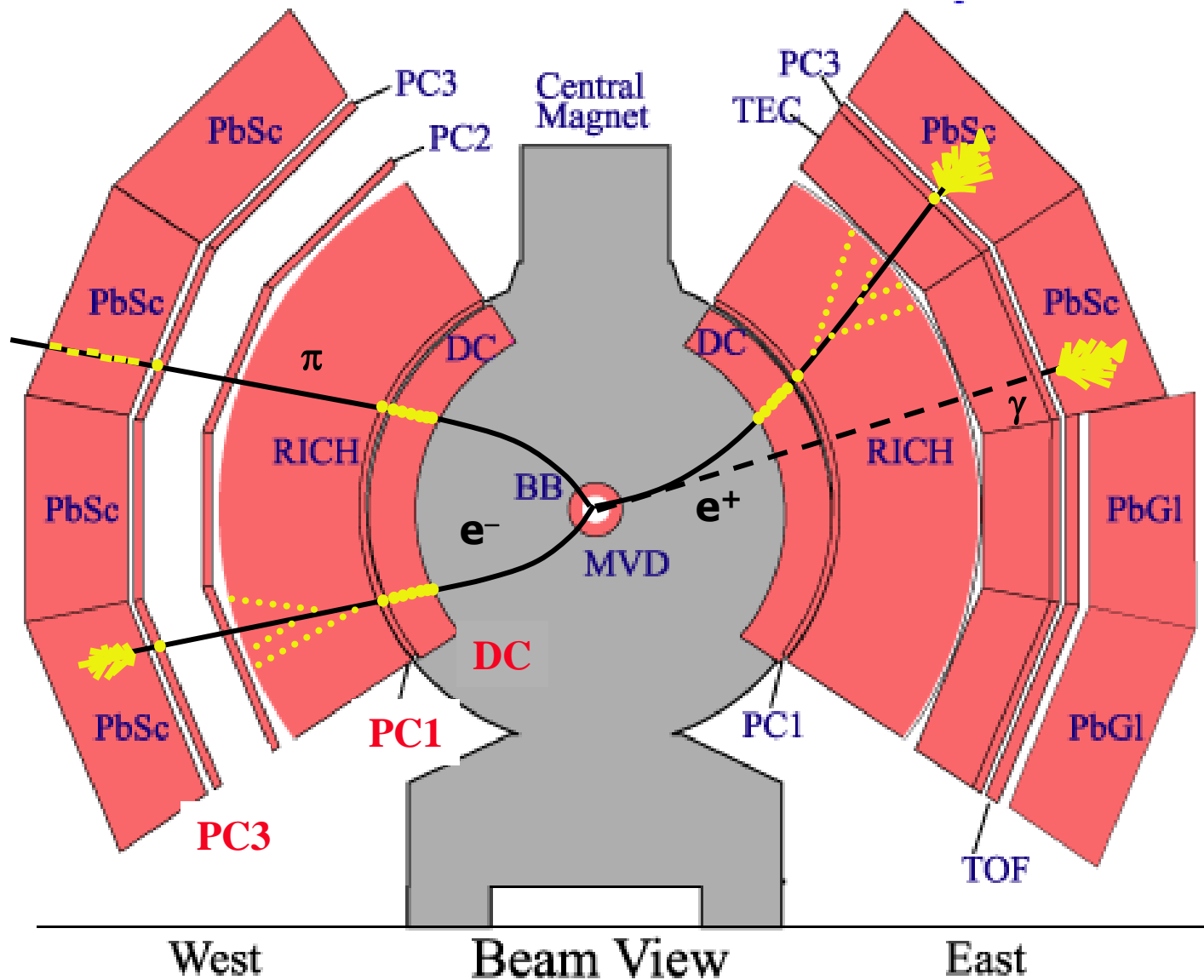
two central electron/photon/hadron spectrometers

two forward muon spectrometers

Au-Au collision as seen in PHENIX

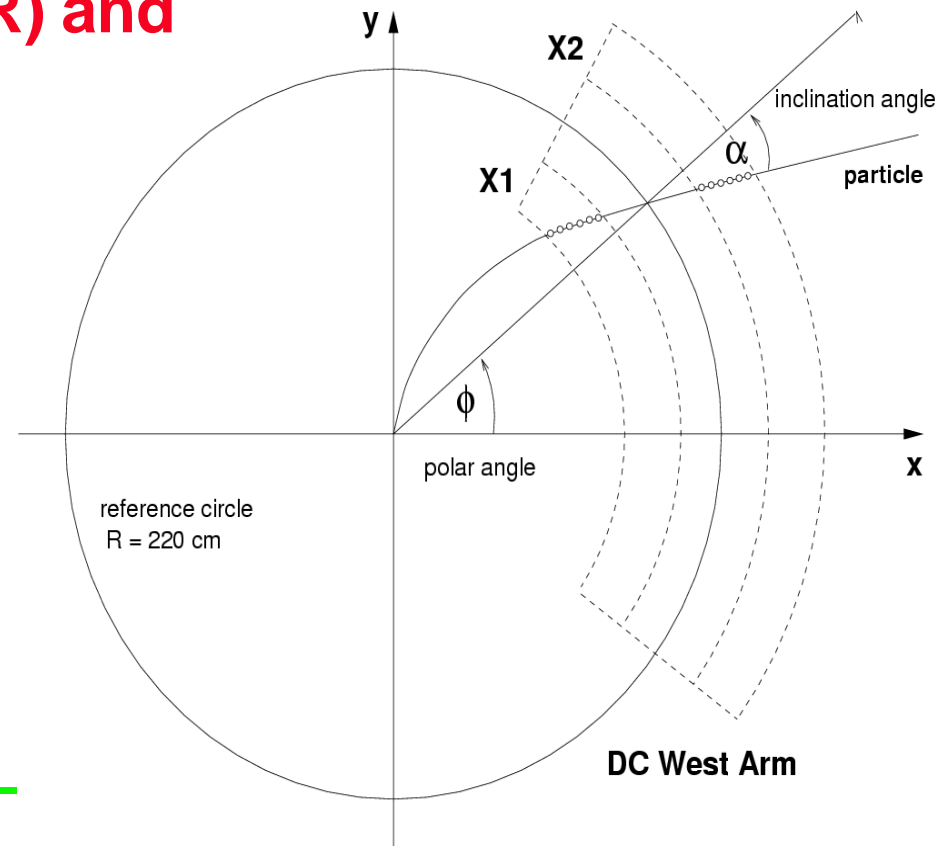


PHENIX: tracking & particle ID



Momentum determination

- Simple relation between bending and momentum
$$\alpha = K/p_T \quad K \sim 200 \text{ rad GeV/c}$$
- Momentum resolution is determined by the resolution of α , which is determined by :
 - **single hit resolution(SHR) and**
 - **alignment**
- SHR is measured to be 150mm, about 0.3 mrad, which corresponds to $0.3/200=0.1\%$ resolution.
- **Affected by**
 - **global and wire alignments**



Electron Identification I

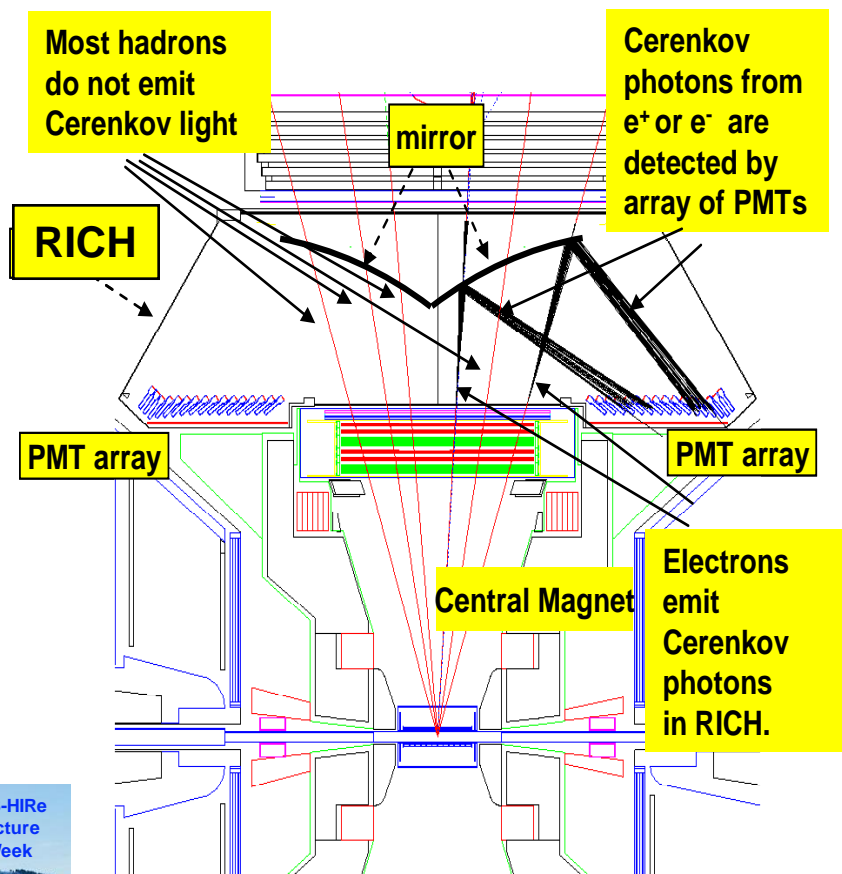
Charged particle tracking (dm: 1%)

DC, PC1, PC2, PC3 and TEC

PHENIX optimized for Electron ID

- Cherenkov light **RICH** +

- shower **EMCAL**



- emission and measurement of Cherenkov light in the Ring Imaging Cherenkov detector

→ measure of min. velocity

- how can pions ever be mis-identified below 4.9 GeV/c?

- Radiation of cherenkov light (≥ 4.9 GeV/c)

- Production of delta electrons

- Random coincidence (high multiplicity)

- spherical mirror

→ parallel tracks produce rings at SAME location

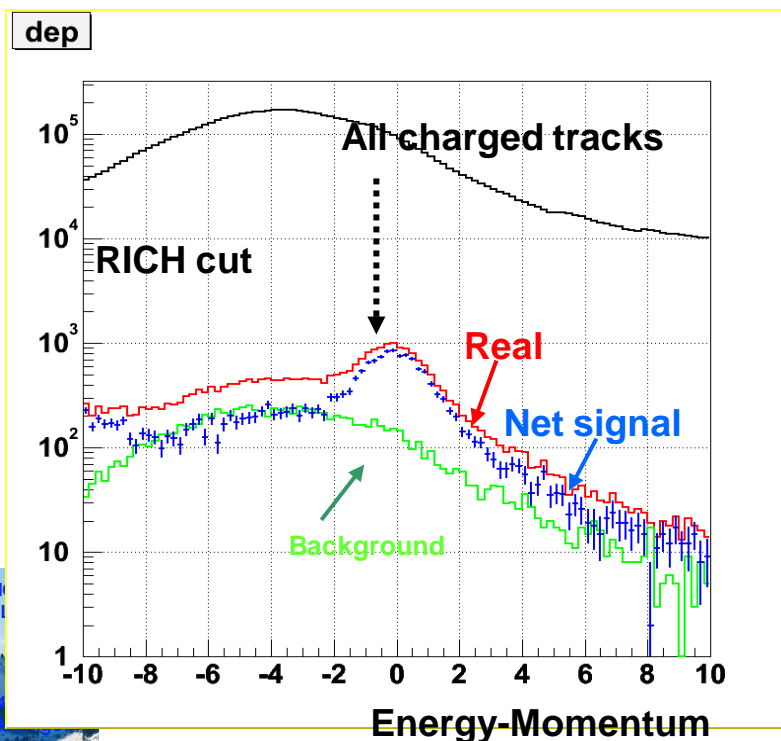
Electron Identification II

production and of el.magn. shower
in the Electro- Magnetic
Calorimeter

→ measure of energy E

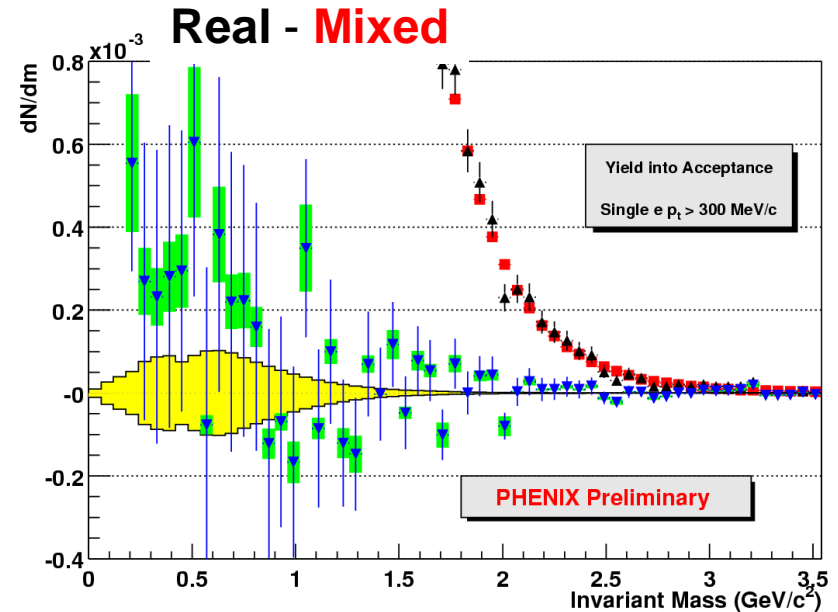
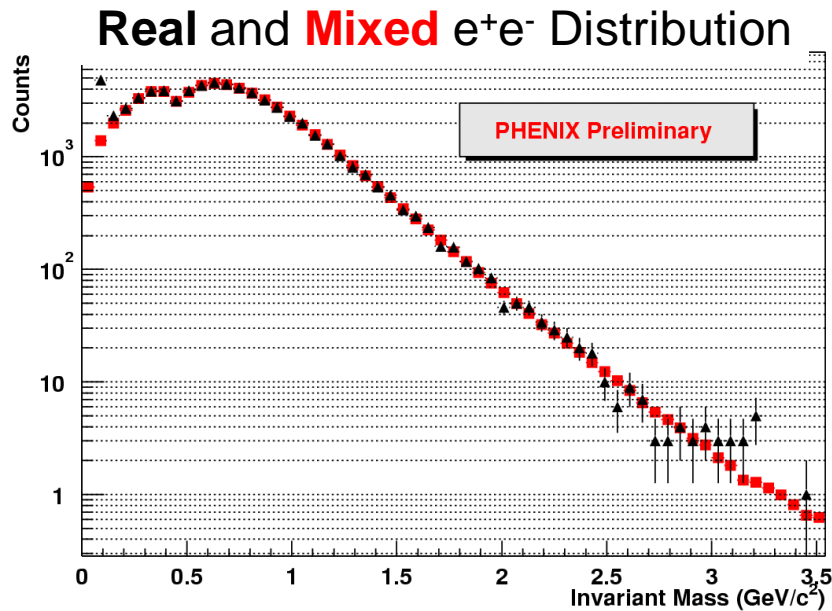
- PbSc: sampling cal., layers of lead and scintillator
- PbGl: homogeneous lead-glass volume, Cherenkov radiator

- electron: $E \approx p$
- hadron: $E < p$
- after RICH cuts, clear electron signal
- cut on E/p cleans electron sample!
- background
 - photon conversions
 - random associations (next slide)
- main background source: random combination of hadron track/shower with uncorrelated RICH ring
- “standard” subtraction technique: flip-and-slide of RICH
- swapped background agrees in shape with E/p distribution of identified hadrons
- background increases with detector occupancy (can reach ~30% in central Au+Au collisions)



PHENIX measures dielectrons

- first attempt from 2002 Au-Au Run
 - S/B $\sim 1/500$ (!) for minimum bias events
 - not enough statistics



- Au-Au data taken in 2004
 - $\sim 100x$ statistics
 - photon conversions reduced by factor 2-3
 - expect background reduction by ~ 2

Detailed measurement of the e^+e^- pair continuum in p+p and Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV and implications for direct photon production

Detailed measurement of the e^+e^- pair continuum in p+p and Au+Au collisions at $\sqrt{s_{NN}}=200$ GeV and implications for direct photon production

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Hartouni,²¹ K. Haruna,¹⁸ M. Harvey,⁴ E. Healy,³⁴ K. Haraoka,⁴⁴ R. Hayano,⁵ M. Heffner,²¹ T.K. Hemmick,⁵¹ T. Heuser,⁵ J.M. Heuser,⁴⁴ X. He,¹⁷ H. Heijima,²⁰ J.C. Hill,²² R. Hobbs,³⁸ M. Hohlmann,¹⁵ M. Holmes,²⁶ W. Holzmann,²⁰ K. Homma,¹⁸ B. Hong,²⁷ T. Horaguchi,^{44,54} D. Hornback,²³ M.G. Hur,²⁴ T. Ichihara,^{44,45} K. Imai,^{20,44} M. Inaba,⁵⁵ Y. Inoue,^{44,45} D. Isenhower,¹ L. Isenhower,¹ M. Ishihara,⁴⁴ T. Isoobe,⁸ M. Issah,²⁰ A. Isupov,²³ B.V. Jacak,^{51,1} J. Jia,¹⁰ J. Jin,¹⁰ O. Jinnouchi,⁴⁵ B.M. Johnson,⁴ K.S. Joo,³⁸ D. Jovan,⁴¹ F. Kajihara,^{4,44} S. Kametani,^{5,51} N. Kamihara,^{44,54} J. Kamin,⁵¹ M. Kaneta,⁴⁵ J.H. Kang,²⁹ H. Kanou,^{44,54} T. Kawaguchi,²² D. Kawan,⁴⁵ A.V. Kazanov,²⁸ S. Kelly,⁹ A. Kharazadze,⁴³ J. Kikuchi,²⁷ D.H. Kim,²⁶ D.J. Kim,⁵⁸ E. Kim,⁴³ Y.-S. Kim,²⁴ E. Kinney,⁹ A. Kise,¹⁴ E. Kistenev,⁴ A. Kiyomichi,⁴⁴ J. Klay,³¹ C. Klein-Börsing,²⁵ L. Kochenda,⁴³ V. Kochetkov,¹⁹ B. Komkov,⁴³ M. Konno,²⁰ D. Kouchetkov,⁵ A. Kozlov,²⁸ A. Král,¹¹ A. Kravtsov,¹⁰ P.J. Kroon,⁴ J. 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Shimomura,²⁵ T. Shoji,^{26,44} A. Sickles,²¹ C.L. Silva,⁴⁰ D. Silvestre,⁴⁰ C. Silvestre,¹² K.S. Sim,²⁷ C.P. Singh,² V. Singh,² S. Skuza,²² M. Slunečka,^{5,23} W.C. Smith,⁴ A. Soldatov,¹⁹ R.A. Soliz,²¹ W.E. Sondheimer,²² S.P. Sorensen,²³ I.V. Sourikova,⁴ F. Staley,¹² P.W. Stankus,⁴⁰ E. Stenlund,³⁴ M. Stepanov,³⁰ A. Ster,²⁸ S.P. Stoll,⁴ T. Sugitate,¹⁸ C. Sule,⁴¹ J.P. Sullivan,²² J. Sziklai,²⁶ T. Tahir,⁴⁵ S. Takagi,²⁵ E.M. Takaguti,⁴⁸ A. Takeuchi,^{44,45} K.H. Tanaka,²² Y. Tanaka,²⁷ K. Tanida,^{44,45} M.J. Tannenbaum,⁴ A. Taranenko,²⁰ P. Tarjén,¹³

arXiv:0912.0244

422 authors

59 institutions

56 pages

50 figures

13 tables

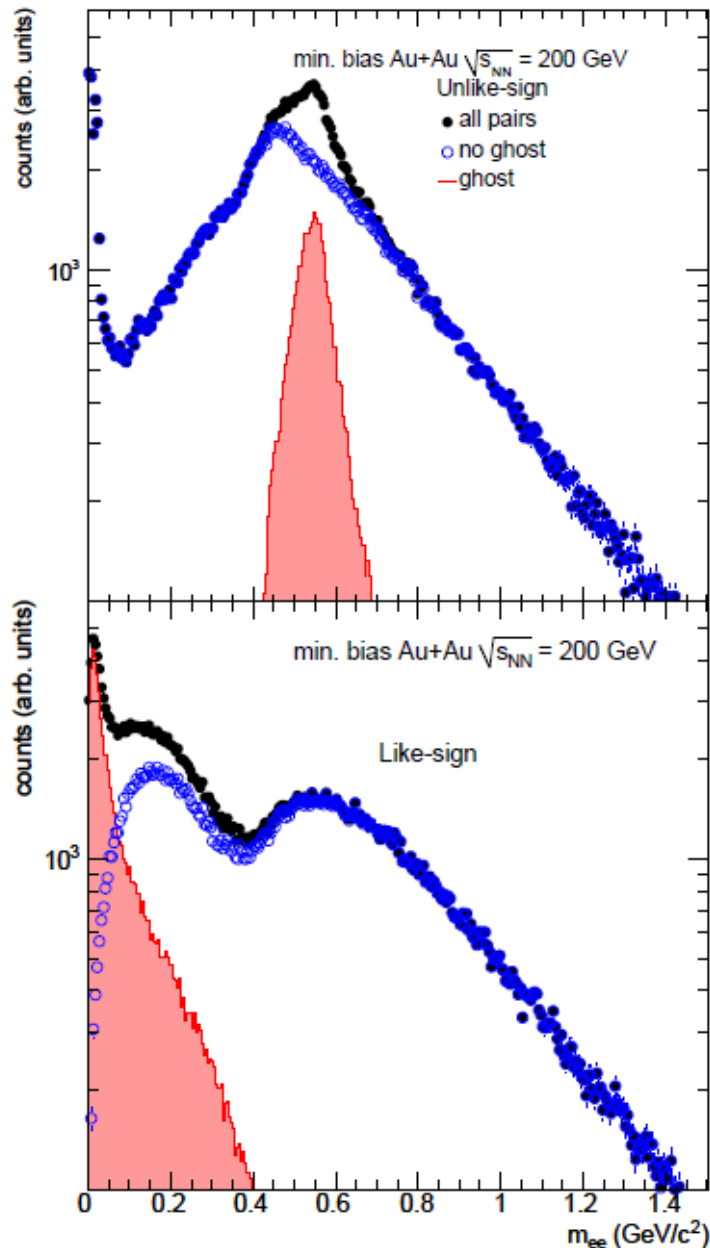
Submitted to Physical Review C
on 1st December 2009

comprehensive results of dilepton
measurements at RHIC.

Background

- **Type I: identified on a pair-by-pair basis:**
 - **Overlapping hits in the detectors (mostly RICH)**
 - **Photon conversions**
- **Type II: cannot be identified on pair-by-pair basis → removed statistically**
 - **Combinatorial B^{comb} all combinations where the origin of the two electrons is totally uncorrelated**
 - **Correlated B^{corr}**
 - **Cross pairs: Two pairs in the final state of a meson**
 - **Jet pairs: Two hadrons within the same jet or in back-to-back jets, decay into electron pairs**

Overlapping pairs



- when a pion points to the same ring as an electron, it is associated to the same ring, therefore considered an electron

This happens for a typical values of opening angle (different for like and unlike) which folded with the average momentum of the electron corresponds to a particular invariant mass (different for like and unlike)
→ cut: requested minimum distance between the rings (~ 1 ring diameter)

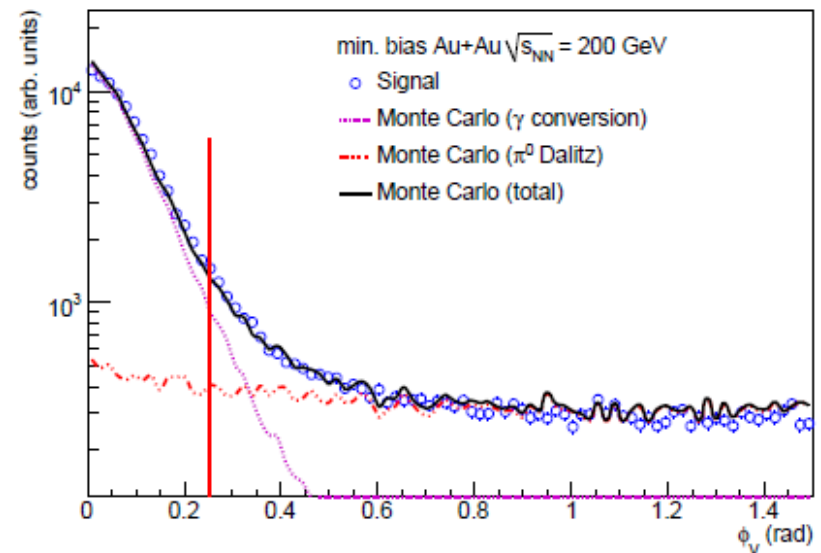
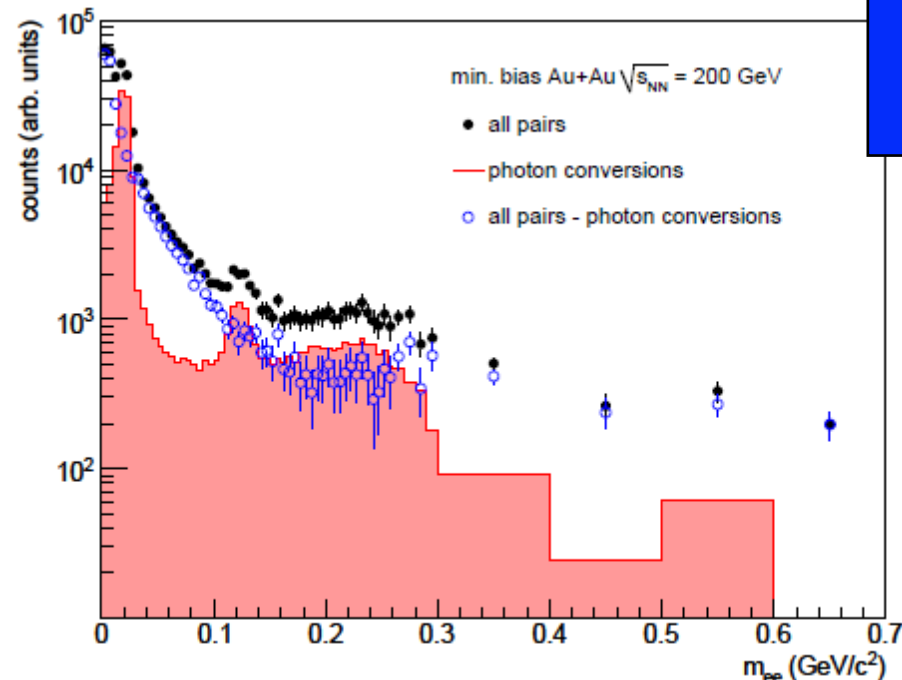
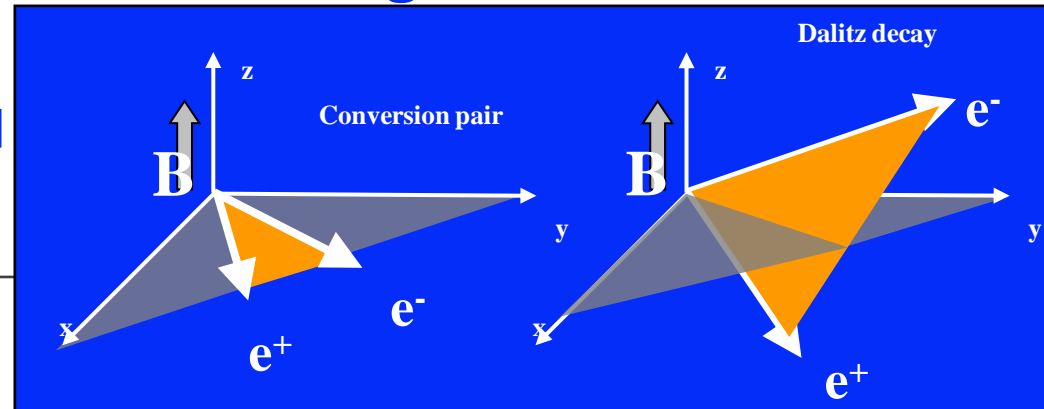
- Cut applied as event cut
 - Real events: discarded and never reused
 - Mixed events: regenerated to avoid topology dependence

Photon conversion rejection

- artifact of PHENIX tracking
 - assume that all tracks originate from the vertex
 - off vertex tracks \rightarrow wrong momentum vector

\rightarrow conversions are reconstructed with $m \neq 0$ ($m \sim r$)

- conversions “open” in a plane perpendicular to the magnetic field



Low-mass e^+e^- pairs: the problem

- electrons/event in PHENIX

- $$N_e = \frac{(dN/d\eta)\pi^0}{350} * \frac{(BR+CONV)}{(0.012+0.02)} * \frac{acc}{0.5*0.7} * \frac{f(p_T>0.2\text{GeV})}{0.32} = 1.3$$

- combinatorial background pairs/event

- $$B = \frac{1}{2} * \frac{1}{2} N_e^2 = 0.1$$

- expected signal pairs/event ($m>0.2\text{GeV}$, $p_T>0.2\text{ GeV}$)

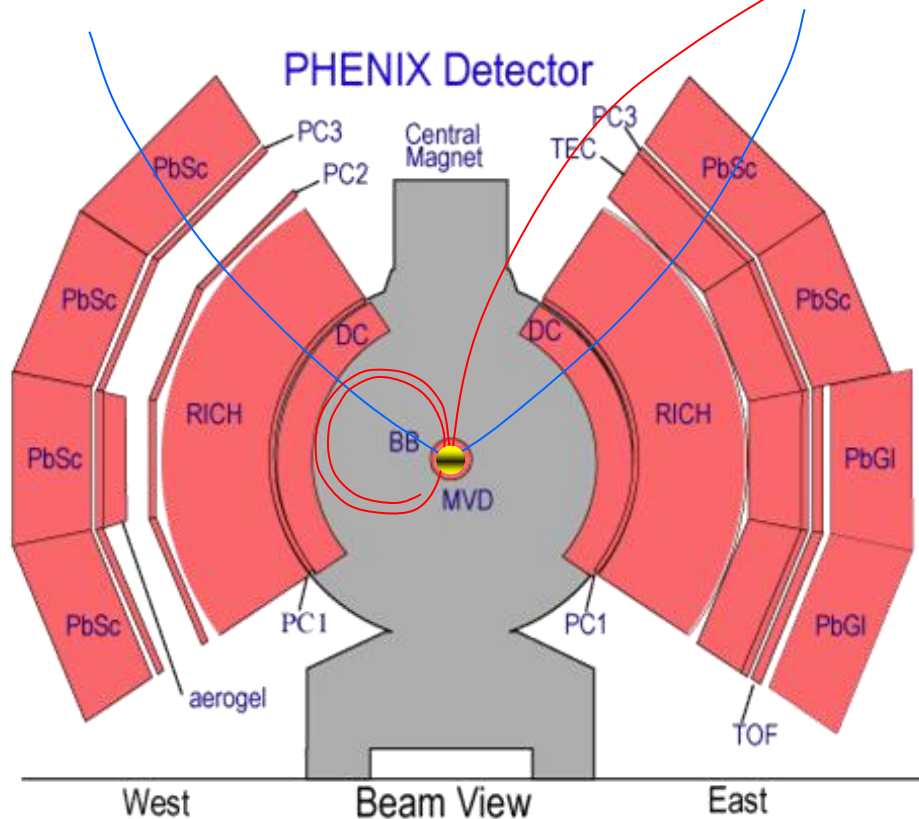
- $$S = 4.2*10^{-4}$$

→signal/background

- as small as 1/ few hundred
 - depends on mass

- what can we do to reduce the combinatorial background? where does it come from?

Conversion/Dalitz rejection?



- typically only one “leg” of the pair is in the acceptance
 - acceptance holes
 - “soft” tracks curl up in the magnetic field
- only (!) solution
 - catch electrons before they are lost
 - need new detector and modification of magnetic field

Consequences of poor S/B^{comb}

- how is the signal obtained?
 - unlike-sign pairs: F
 - combinatorial background: B (like-sign pairs or event mixing)
 - $\rightarrow S = F - B$
- statistical error of S
 - depends on magnitude of B , not S
 - $\Delta S \approx \sqrt{2B}$ (for $S \ll B$)
- “background free equivalent” signal S_{eq}
 - signal with same relative error in a situation with zero background
 - $S_{\text{eq}} = S * S/2B$
 - example: $S = 10^4$ pairs with $S/B = 1/250 \rightarrow S_{\text{eq}} = 20$
- systematic uncertainty of S
 - dominated by systematic uncertainty of B
 - example: event mixing with 0.25% precision (fantastic!)
 $\rightarrow \sim 60\%$ systematic uncertainty of S (for $S/B = 1/250$)

Type II background

METHOD 1

- **Combinatorial background: event mixing**
 - Like and Unlike-sign pairs taking electrons from different events
 - Normalize like-sign background to like-sign foreground in a region in (m, p_T) where they agree
 - Normalize unlike-sign background to $2\sqrt{N_{++}N_{--}}$
- **Correlated background: simulations**
 - Cross pairs: EXODUS
 - Jet pairs: PYTHIA
 - Normalize like-sign background to like-sign foreground
 - Normalize unlike-sign background in the same way

ADVANTAGE

- Great statistics (much larger than foreground)

DISADVANTAGE

- Assume simulation shape
- Need independent normalization

Type II background

METHOD 2

- If $dN_{\text{like}} = dN_{\text{unlike}} \rightarrow S_{+-} = N_{+-} - 2\sqrt{N_{++}N_{--}}$
- In PHENIX $dN_{\text{like}} \neq dN_{\text{unlike}}$
 - But unlike-sign background $B_{+-} = 2\sqrt{N_{++}N_{--}}$ can be corrected by acceptance difference

$$S_{+-} = N_{+-} - 2\sqrt{N_{++}N_{--}} \cdot \frac{B_{+-}^{\text{comb}}}{2\sqrt{B_{++}^{\text{comb}} \cdot B_{--}^{\text{comb}}}}$$

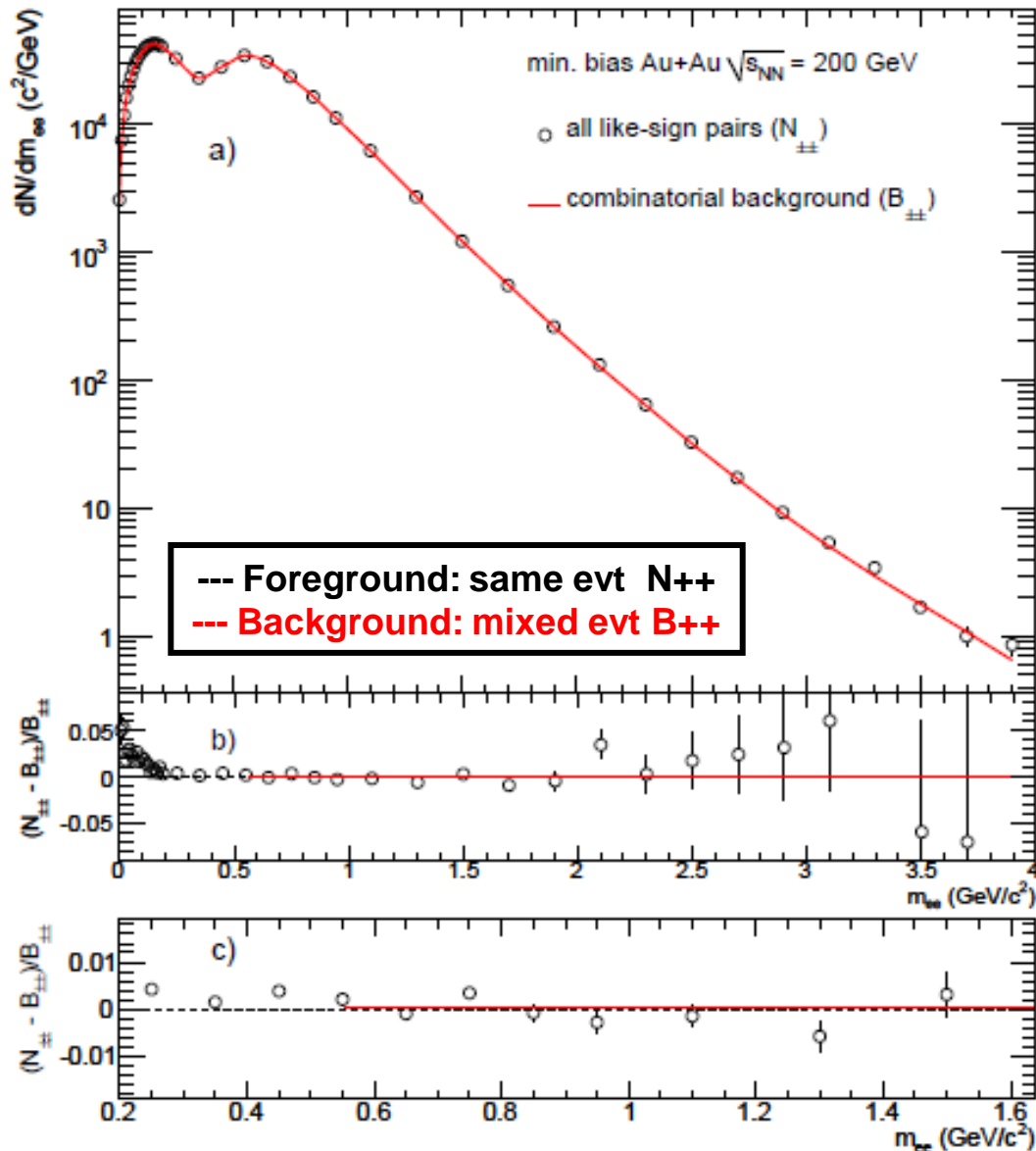
ADVANTAGE

- This method measures ALL type II background simultaneously
- only assumptions needed:
 - dN_{like} measures only background
 - Background symmetric in like and unlike

DISADVANTAGE

- Poor statistics (similar to foreground)

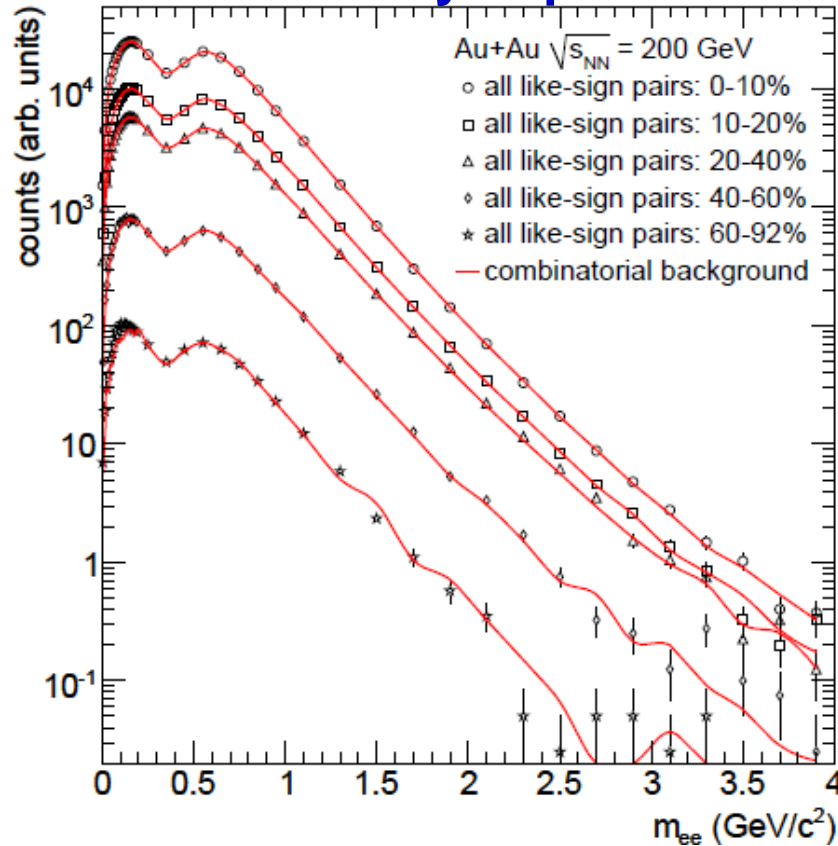
Combinatorial Background shape



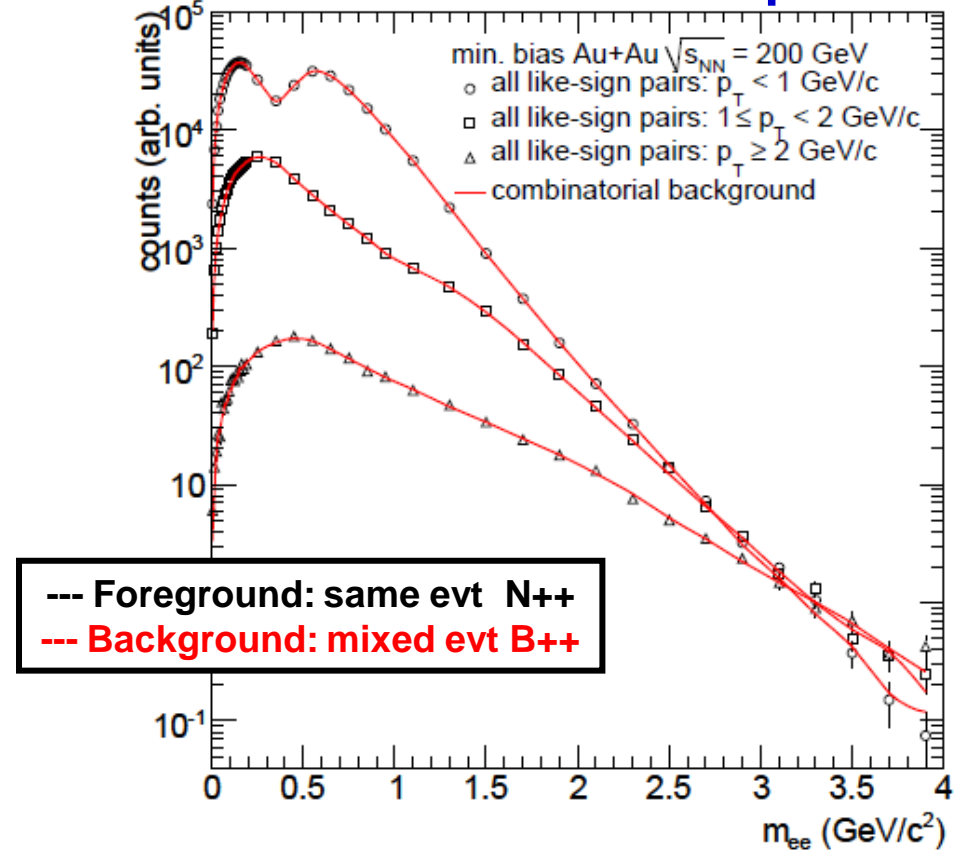
- Shape determined with event mixing
- Excellent agreements for like-sign pairs
- Normalization of mixed pairs
 - Small correlated background at low masses
 - normalize B_{++} and B_{--} to N_{++} and N_{--} for $m_{ee} > 0.7$ GeV/c²
 - Normalize mixed B_{+-} pairs to $N_{+-} = 2\sqrt{N_{++}N_{--}}$
 - Subtract correlated background
- Systematic uncertainties
 - statistics of N_{++} and N_{--} : 0.12%
 - different pair cuts in like and unlike sign: 0.2 %

Differential Combinatorial Background

Centrality Dependence

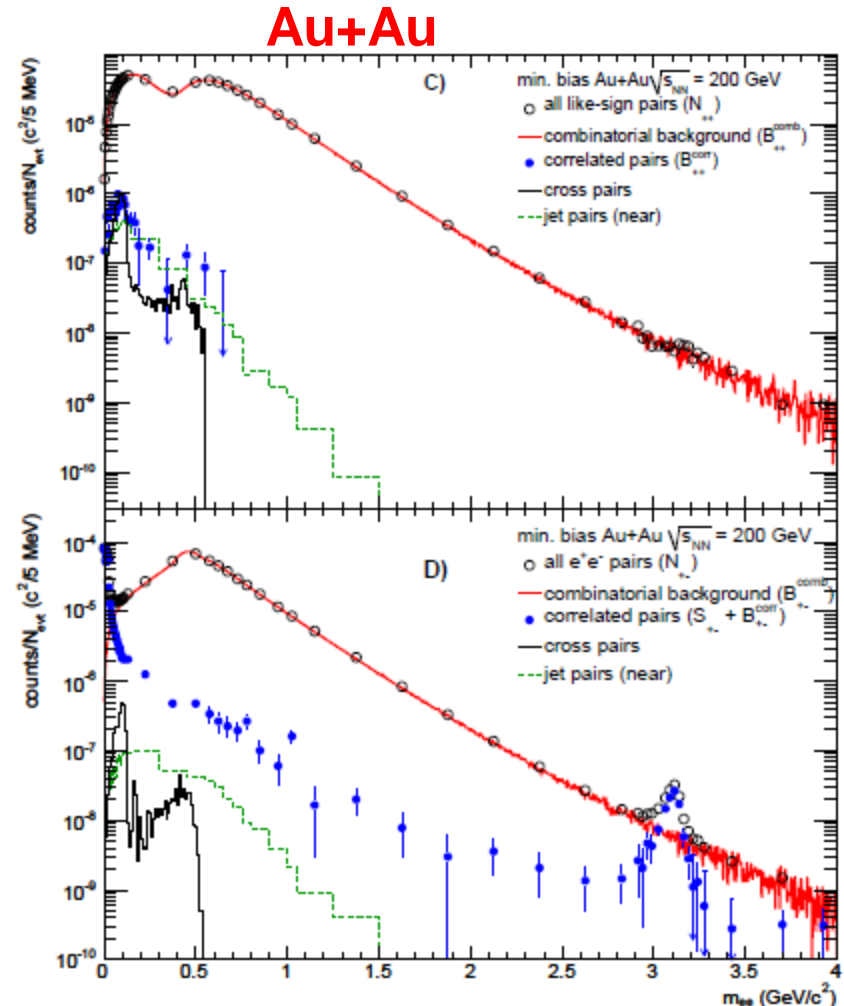
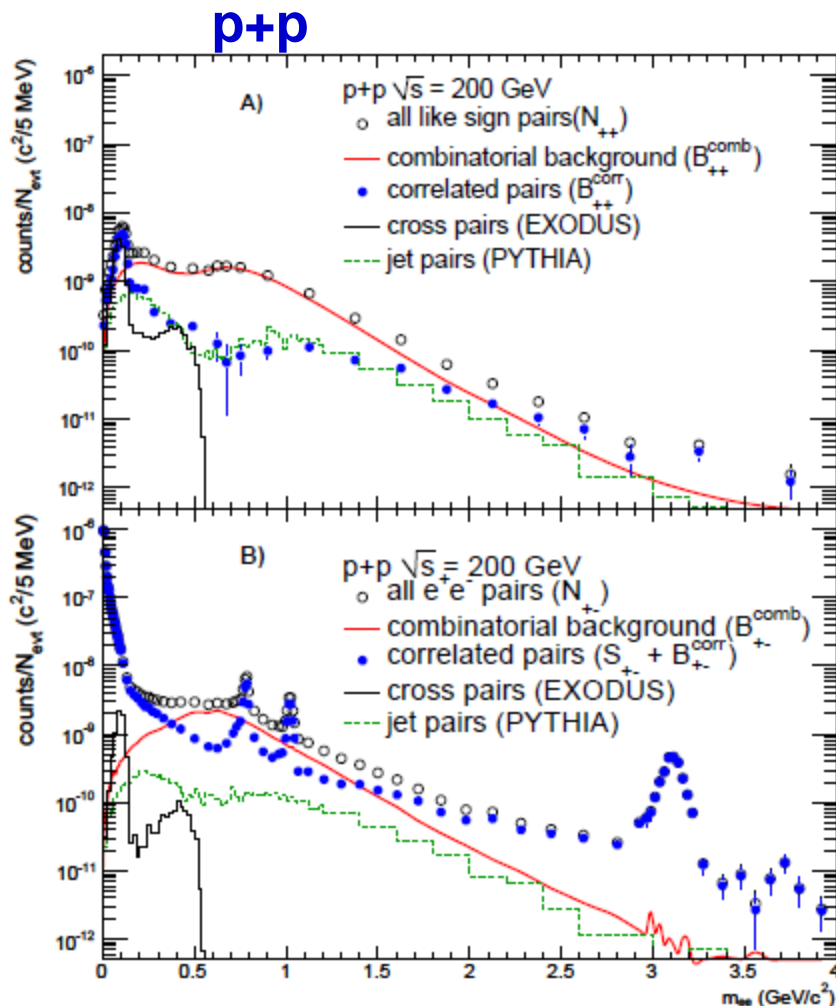


Transverse Momentum Dependence



Centrality	p_0	χ^2/NDF	χ^2 test	p -value	max dev.
0-10%	$6.3 \pm 8.8 \times 10^{-4}$	30.2/19	1.05	0.25	0.0014
10-20%	$-9.4 \pm 1.4 \times 10^{-4}$	18.6/19	0.97	0.61	0.0018
20-40%	$-2.4 \pm 1.8 \times 10^{-3}$	18.7/19	1.02	0.40	0.0034
40-60%	$-8.5 \pm 4.9 \times 10^{-3}$	21.9/19	1.65	0.02	0.0071
60-92%	$-1.8 \pm 1.6 \times 10^{-2}$	21.5/14	1.51	0.04	0.0321
00-92%	$2.6 \pm 6.3 \times 10^{-4}$	27.6/19	0.92	0.83	0.0010
$p_T < 1$ GeV/c	$9.2 \pm 5.1 \times 10^{-4}$	18.9/18	0.95	0.73	0.0011
$1 < p_T < 2$ GeV/c	$-3.4 \pm 1.6 \times 10^{-3}$	27.9/18	0.91	0.84	0.0029
$p_T > 2$ GeV/c	$-9.6 \pm 5.4 \times 10^{-3}$	15.2/18	0.97	0.63	0.0038

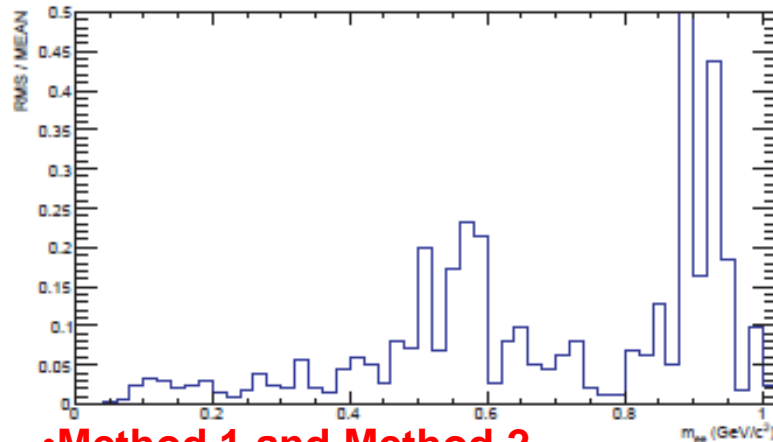
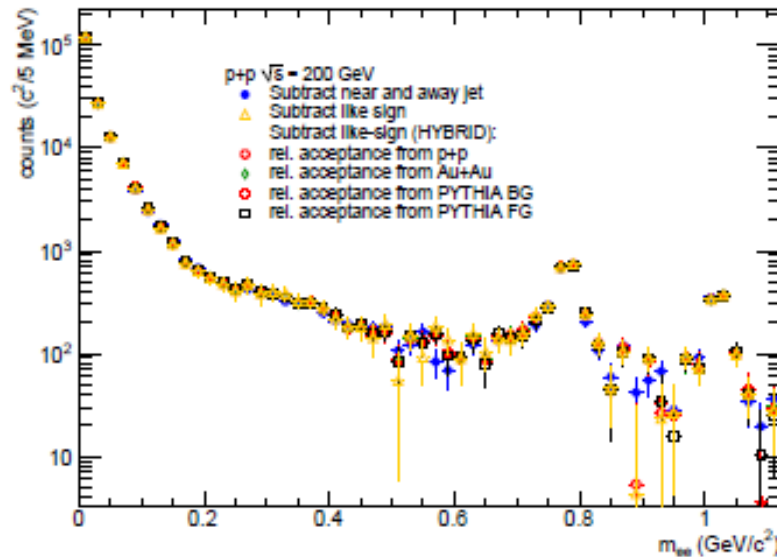
Combinatorial and Correlated Background



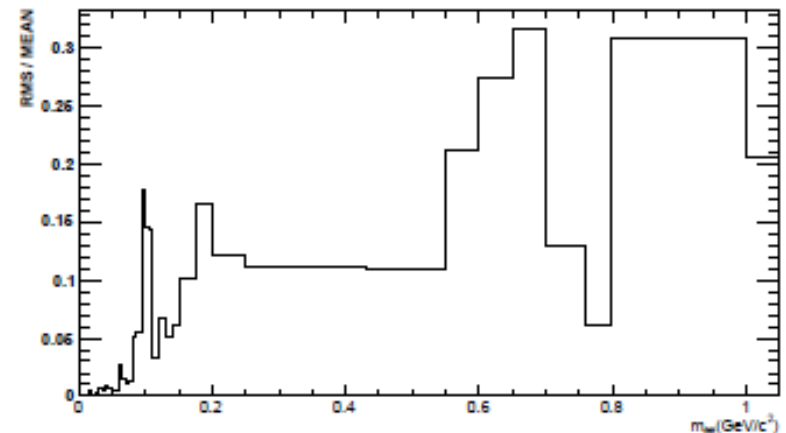
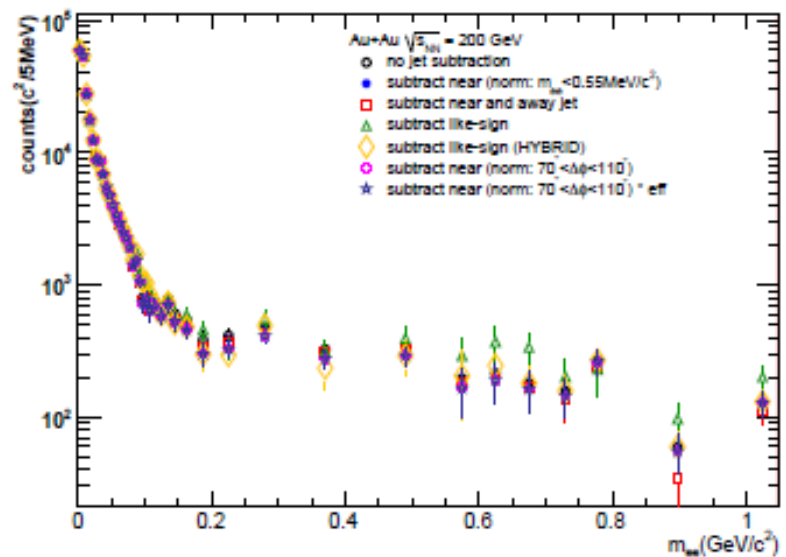
- **Combinatorial Background** from mixed events normalized to $2\sqrt{N_{++}N_{--}}$
- **Cross pairs** simulated with decay generator EXODUS
- **Jet pairs** simulated with PYTHIA
- normalized to like sign data and use same normalization for unlike-sign

Uncertainty of Background Subtraction

p+p



Au+Au

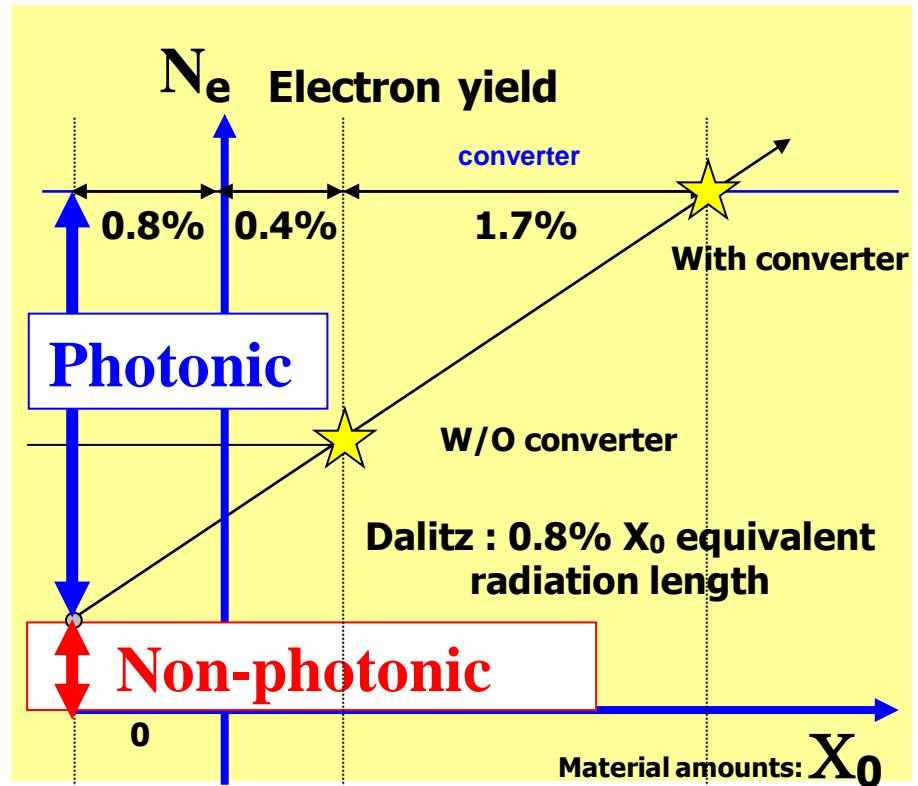
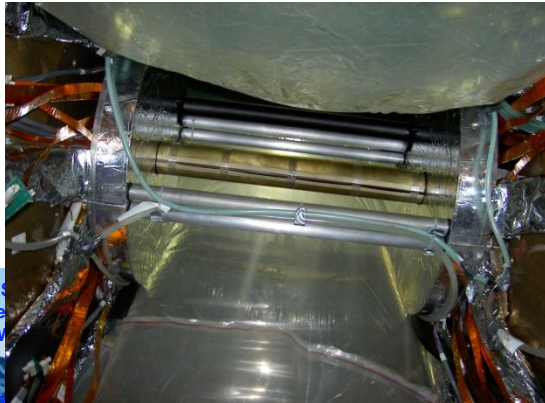


- Method 1 and Method 2
- Variations of the two method
- RMS \rightarrow Systematic Uncertainty

Cross check Converter Method

- We know precise radiation length (X_0) of each detector material
- The photonic electron yield can be measured by increase of additional material (photon converter was installed)
- The non-photonic electron yield does not increase
- Photonic single electron: x 2.3
- Inclusive single electron :x 1.6
- Combinatorial pairs :x 2.5

Photon Converter (Brass: 1.7% X_0)



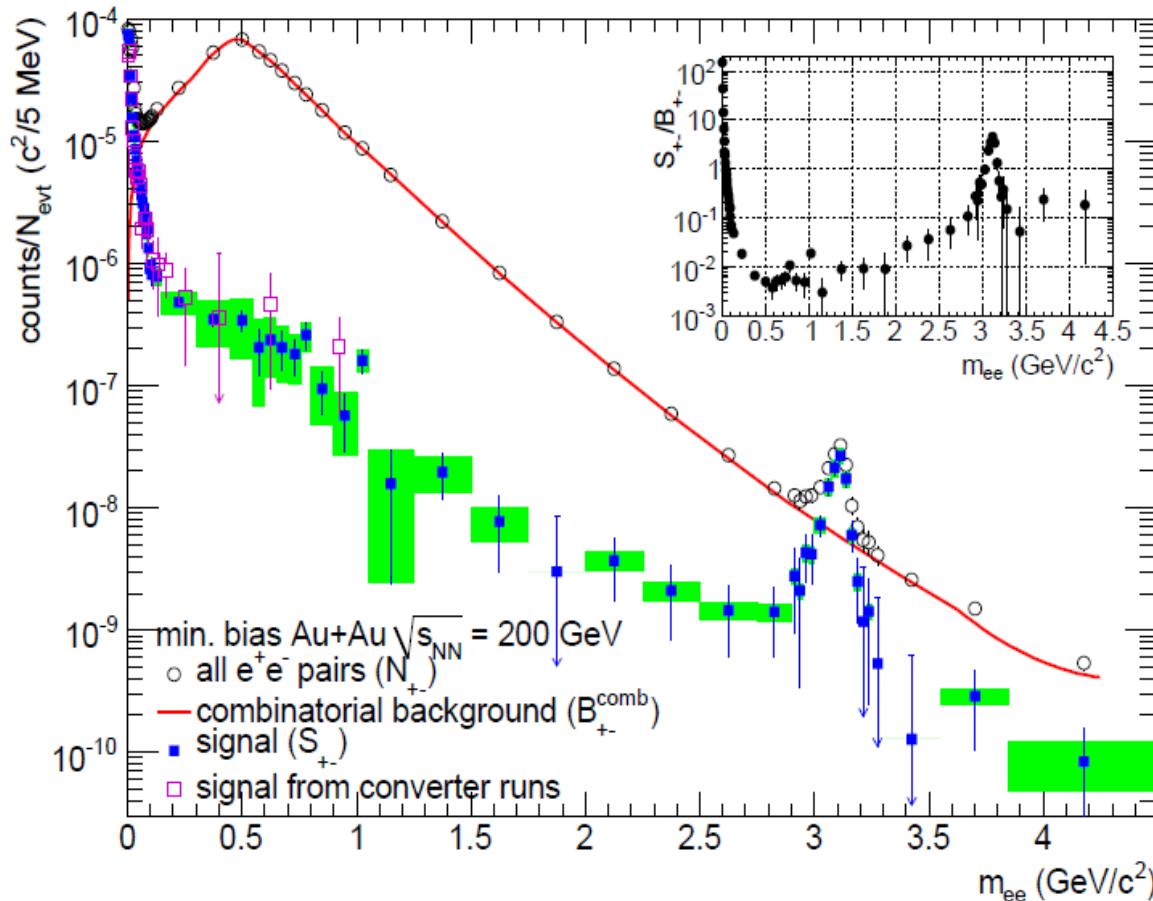
The raw subtracted spectrum

Same analysis on data sample with additional conversion material

→ Combinatorial background increased by 2.5

Good agreement within statistical error

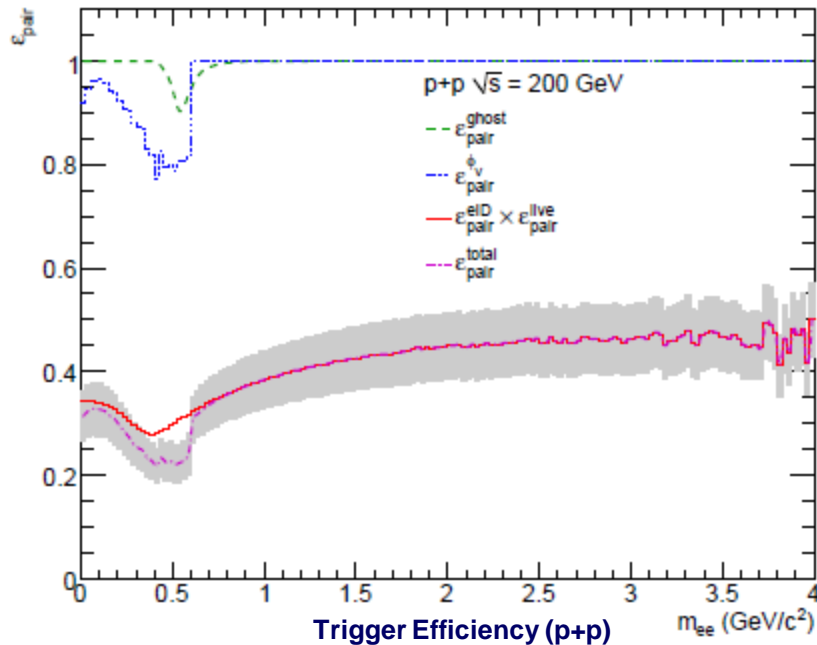
$$\sigma_{\text{signal}}/\text{signal} = \underbrace{\sigma_{\text{BG}}/\text{BG}}_{0.25\%} * \underbrace{\text{BG}/\text{signal}}_{\text{large!!!}}$$



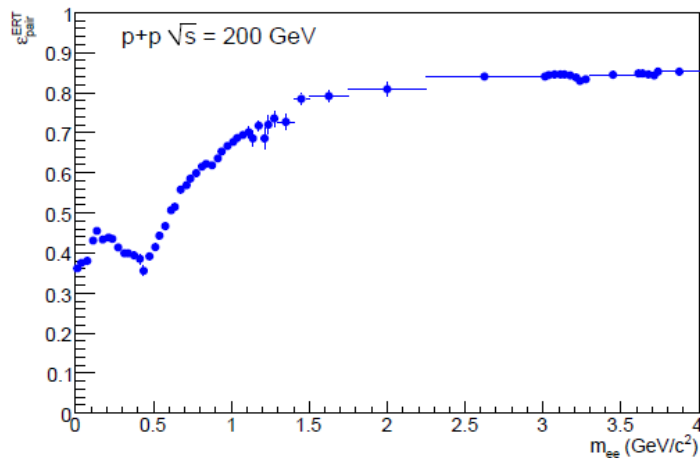
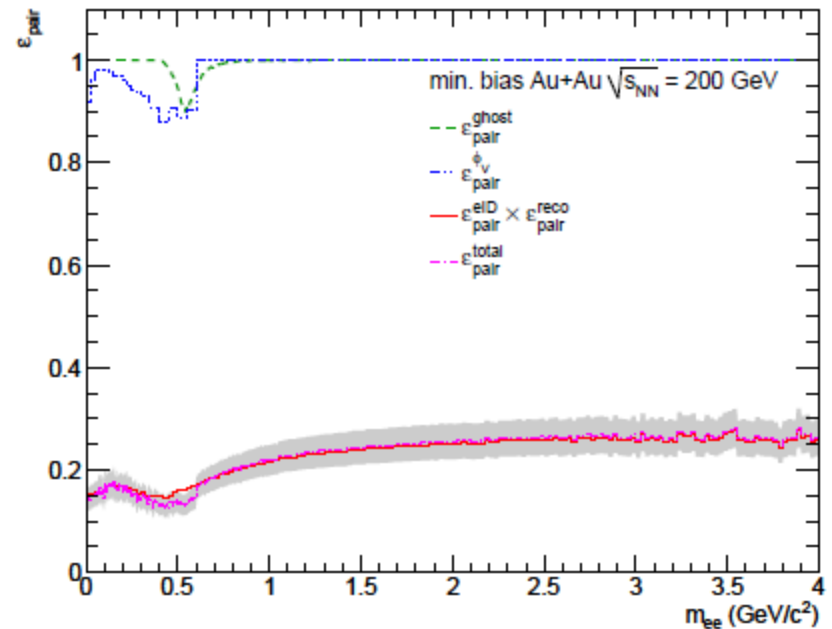
From the agreement
converter/non-converter
and the decreased S/B ratio
scale error = $0.15 \pm 0.51\%$
(consistent with the 0.25%
error we assigned)

Efficiency Correction

p+p



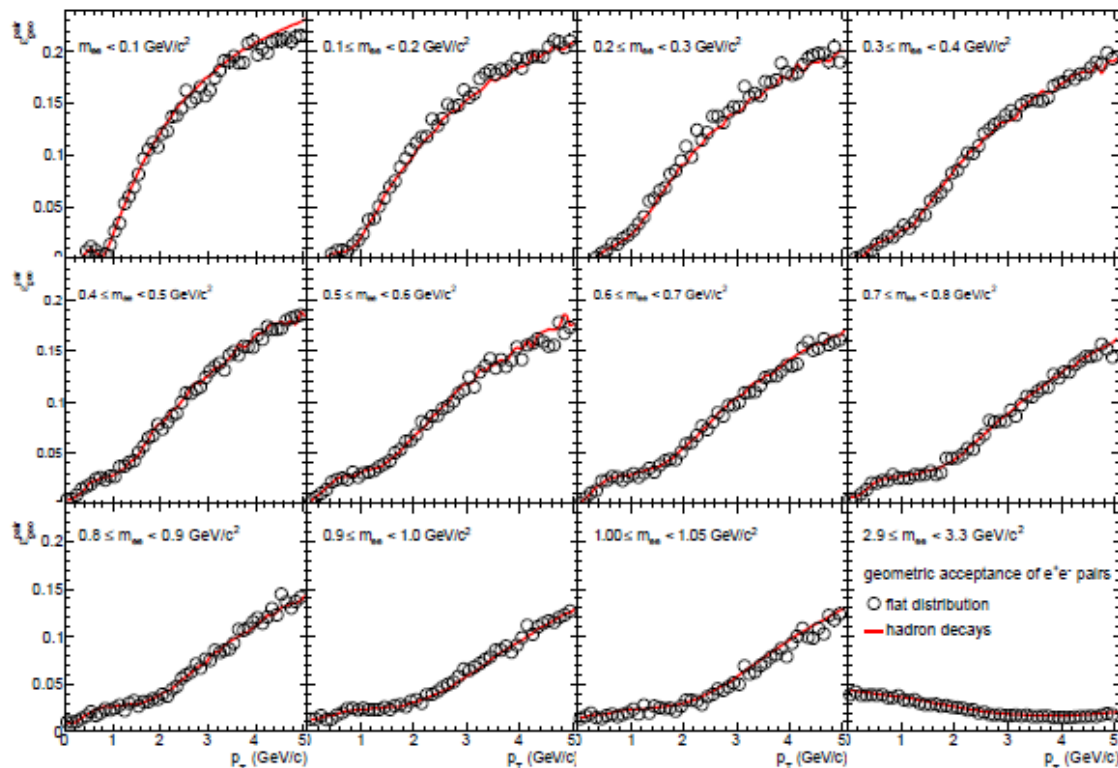
Au+Au



Efficiency Correction:

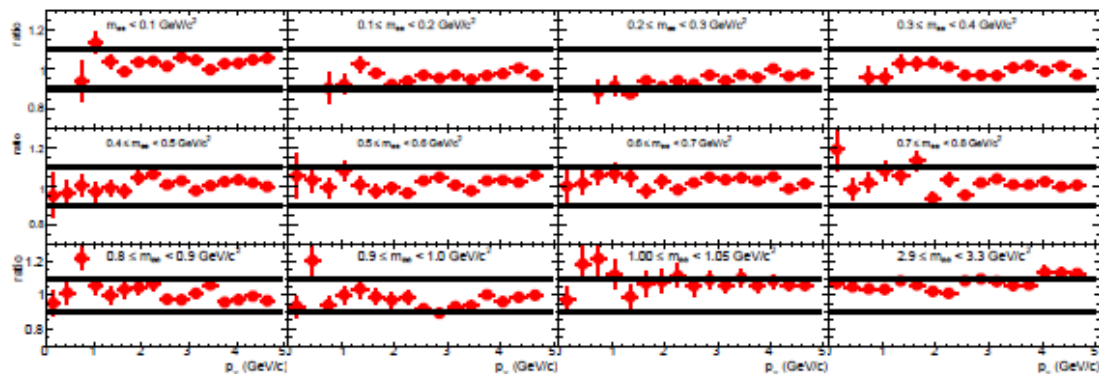
- Derived from single electron efficiency
- Include detector dead areas
- Include pair cuts
- Same shape for p+p and Au+Au
- p+p further corrected for trigger efficiency

Acceptance Correction

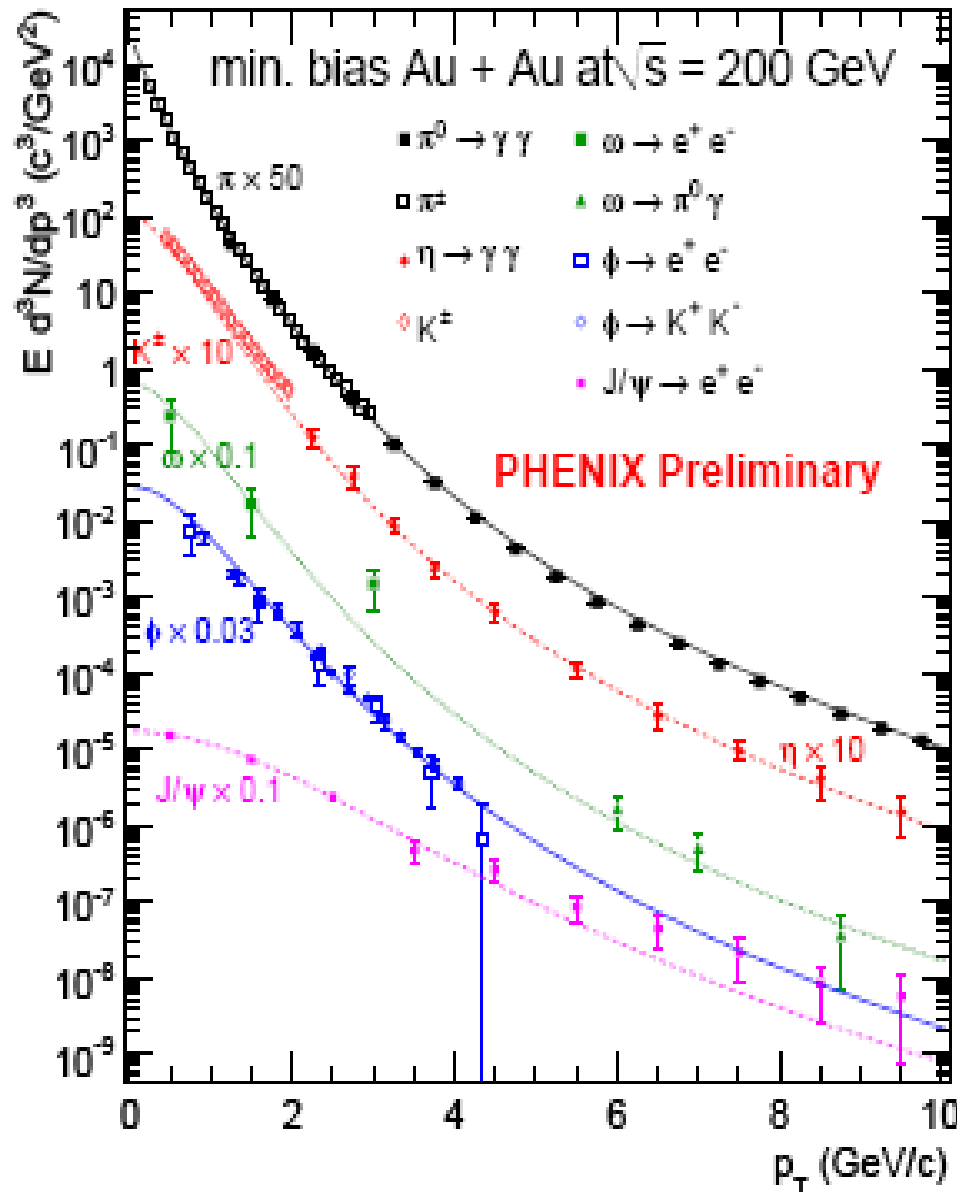


Acceptance Correction:

- Derived from single electron acceptance
 - Compare
 - Hadron decays (full cocktail)
 - Flat distribution
- in different mass regions as function of p_T
- Difference within ~10%



Hadronic Cocktail Measurement

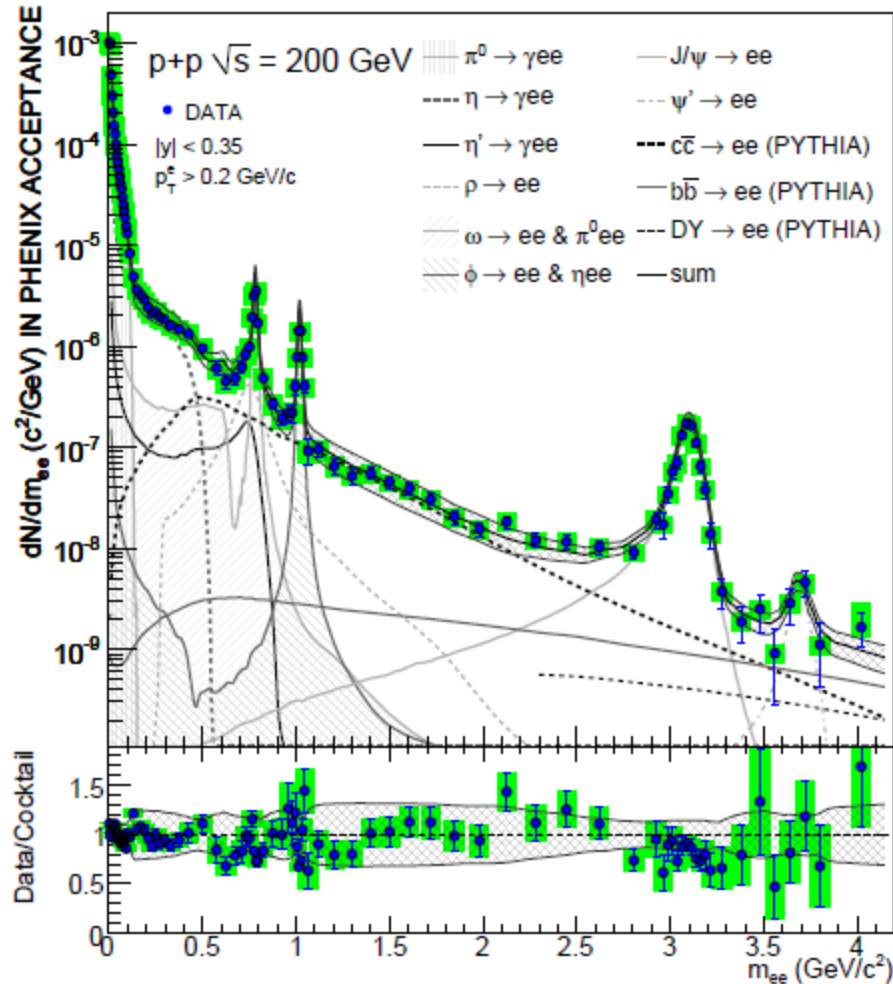


- Parameterization of PHENIX π^\pm, π^0 data $\pi^0 = (\pi^+ + \pi^-)/2$

$$E \frac{d^3\sigma}{d^3p} = \frac{A}{\left(\exp(-ap_T - bp_T^2) + p_T/p_0\right)^n}$$

- Other mesons: fit with m_T scaling of π^0 $p_T \rightarrow \sqrt{(p_T^2 + m_{\text{meson}}^2 - m_\pi^2)}$
fit the normalization constant
- All mesons m_T scale!!!
- Hadronic cocktail was well tuned to individually measured yield of mesons in PHENIX for both p+p and Au+Au collisions.
- Mass distributions from hadron decays are simulated by Monte Carlo.
 - $\pi^0, \eta, \eta', \omega, \phi, \rho, J/\psi, \psi'$
- Effects on real data are implemented

Cocktail Comparison p+p



- 2.25pb⁻¹ of triggered p+p data
- Data absolutely normalized

- Excellent agreement with Cocktail
- Filtered in PHENIX acceptance

Light hadron contributions subtracted

Heavy Quark Cross Sections:

- Charm: integration after cocktail subtraction

$$\sigma_{cc} = 544 \pm 39^{\text{stat}} \pm 142^{\text{syst}} \pm 200^{\text{model}} \mu\text{b}$$

- Simultaneous fit of charm and bottom:

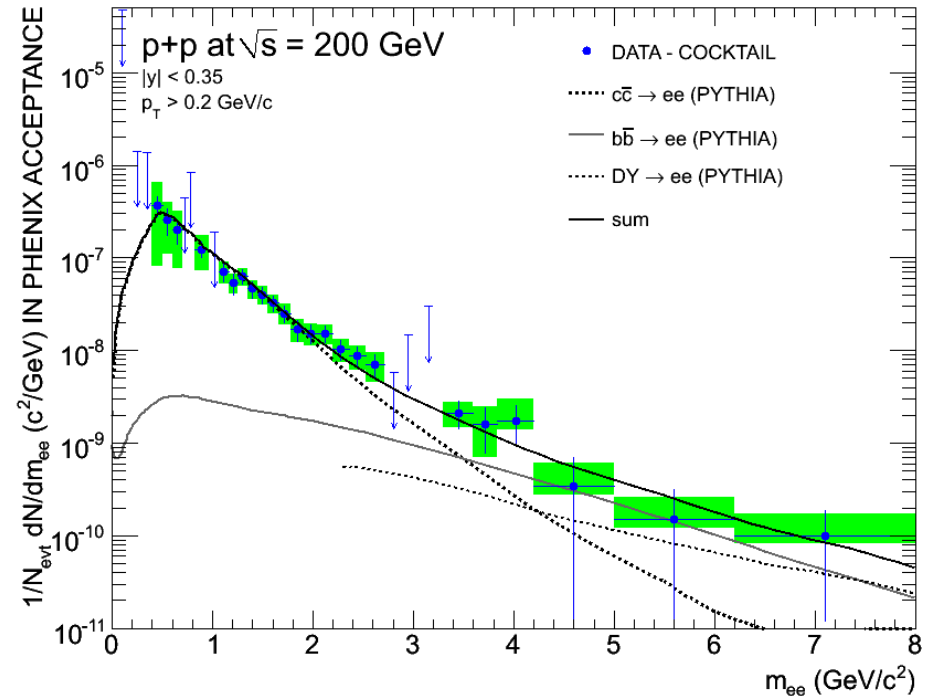
$$- \sigma_{cc} = 518 \pm 47^{\text{stat}} \pm 135^{\text{syst}} \pm 190^{\text{model}} \mu\text{b}$$

$$- \sigma_{bb} = 3.9 \pm 2.4^{\text{stat}} +3/-2^{\text{syst}} \mu\text{b}$$

- Charm cross section from single electron measurement [PRL97, 252002 (2006)]:

$$- \sigma_{cc} = 567 \pm 57 \pm 193 \mu\text{b}$$

PLB 670,313(2009)



Charm and bottom cross sections

CHARM

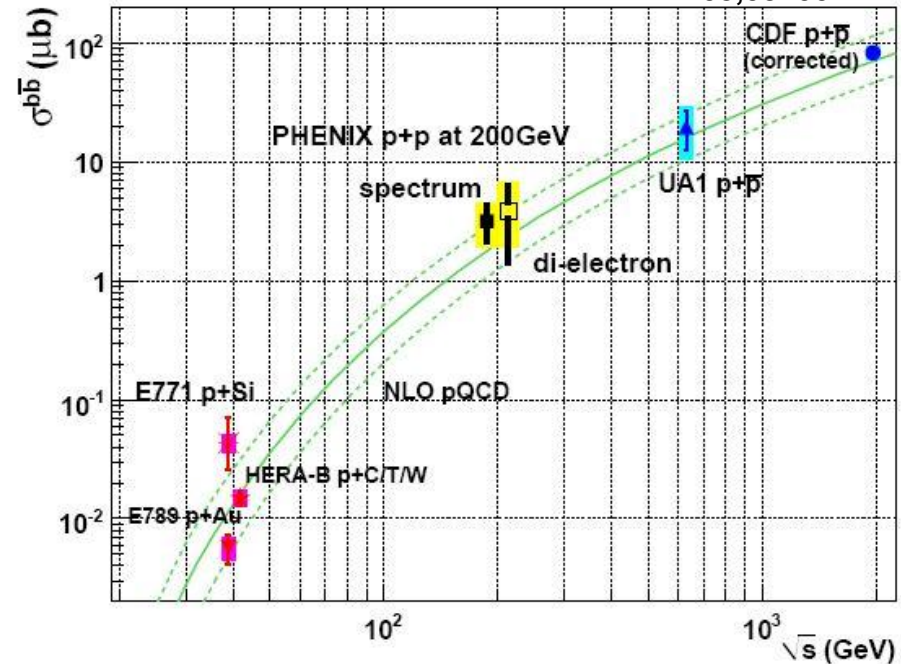
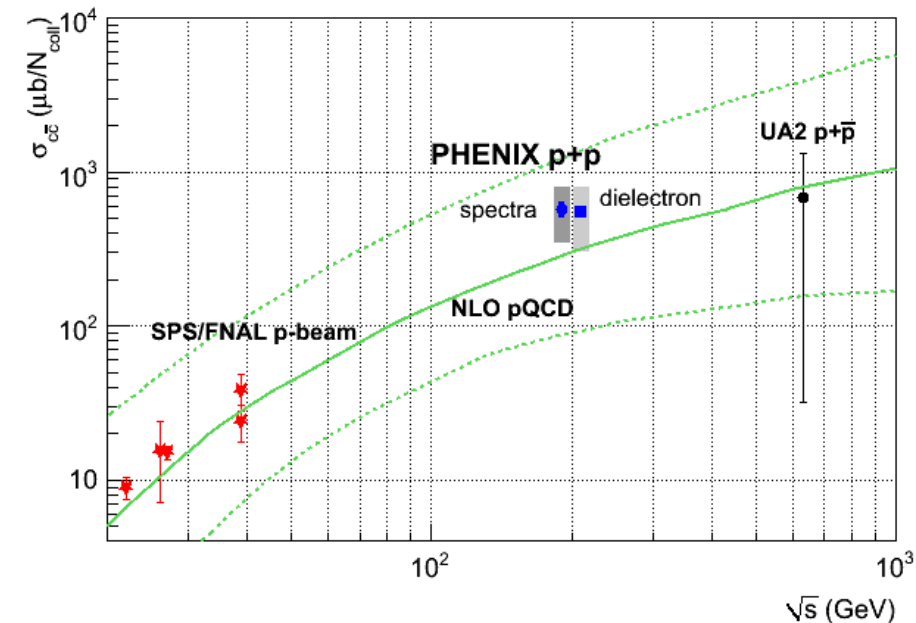
Dilepton measurement in agreement with single electron, single muon, and with FONLL (upper end)

BOTTOM

Dilepton measurement in agreement with measurement from e-h correlation and with FONLL (upper end)

PLB670,313(2009)

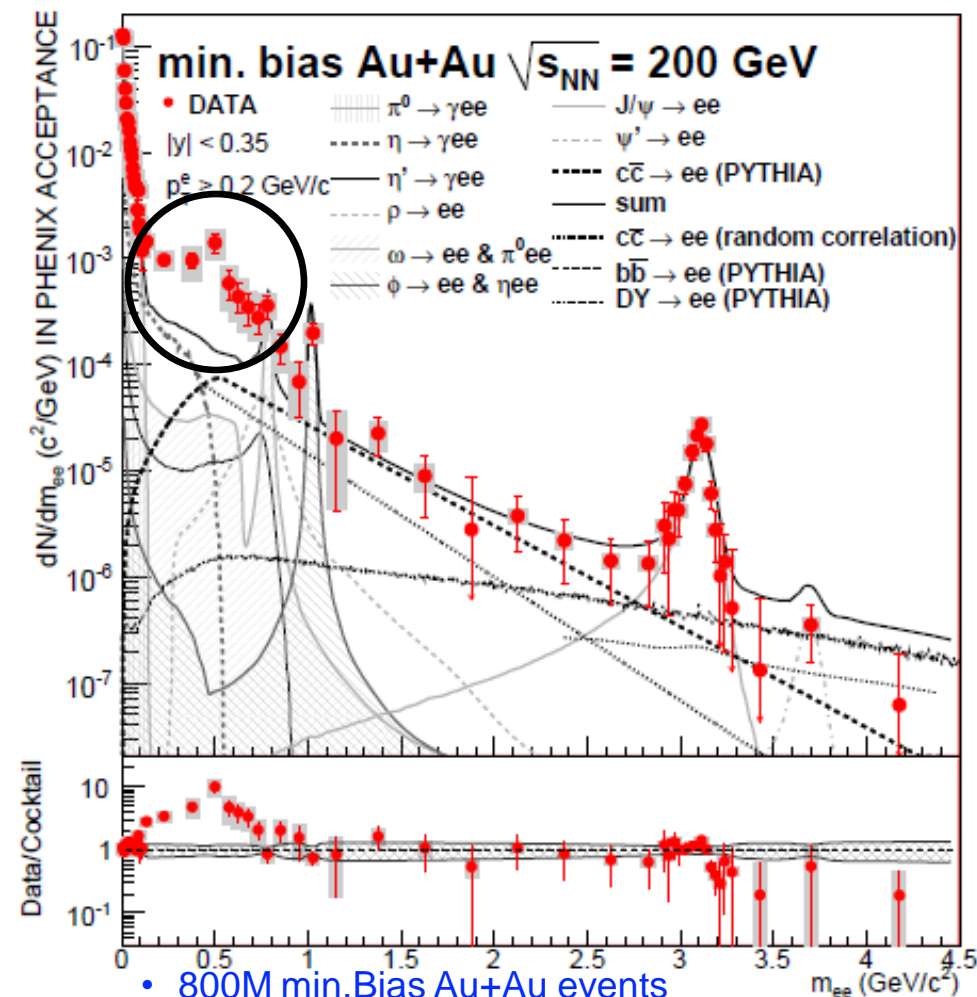
PRL103,082002



First measurements of bottom cross section at RHIC energies!

Cocktail Comparison Au+Au

arXiv:0912.0244



- 800M min.Bias Au+Au events
- Data absolutely normalized

- Light hadrons cocktail
- **Charm normalized $N_{coll} \times \sigma_{pp}$**
- Filtered in PHENIX acceptance

- **Low Mass Region:**
large enhancement $150 < m_{ee} < 750$ MeV

$$4.7 \pm 0.4^{\text{stat}} \pm 1.5^{\text{syst}} \pm 0.9^{\text{model}}$$

- **Intermediate Mass Region:**
dominated by charm ($N_{coll} \times \sigma_{cc}$)

- PYTHIA
- Random cc correlation

- Single electron measurement

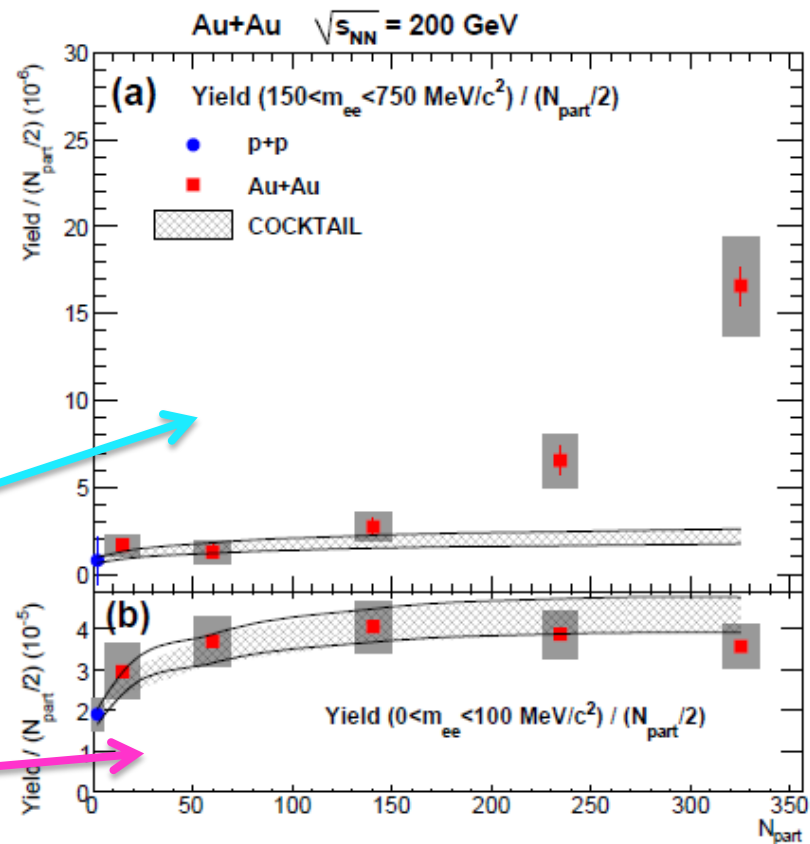
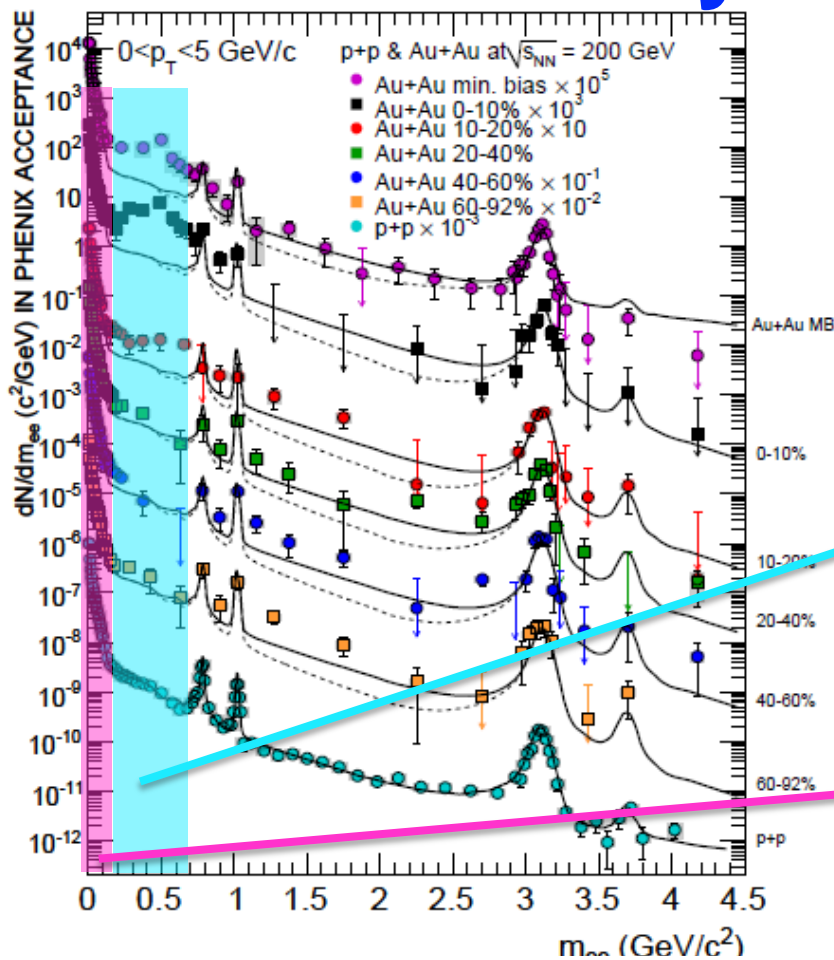
- High p_T suppression
- Flow

→ Expected modifications in the pair invariant mass

→ random cc correlation?

→ Room for **thermal** contribution?

Centrality Dependence LMR

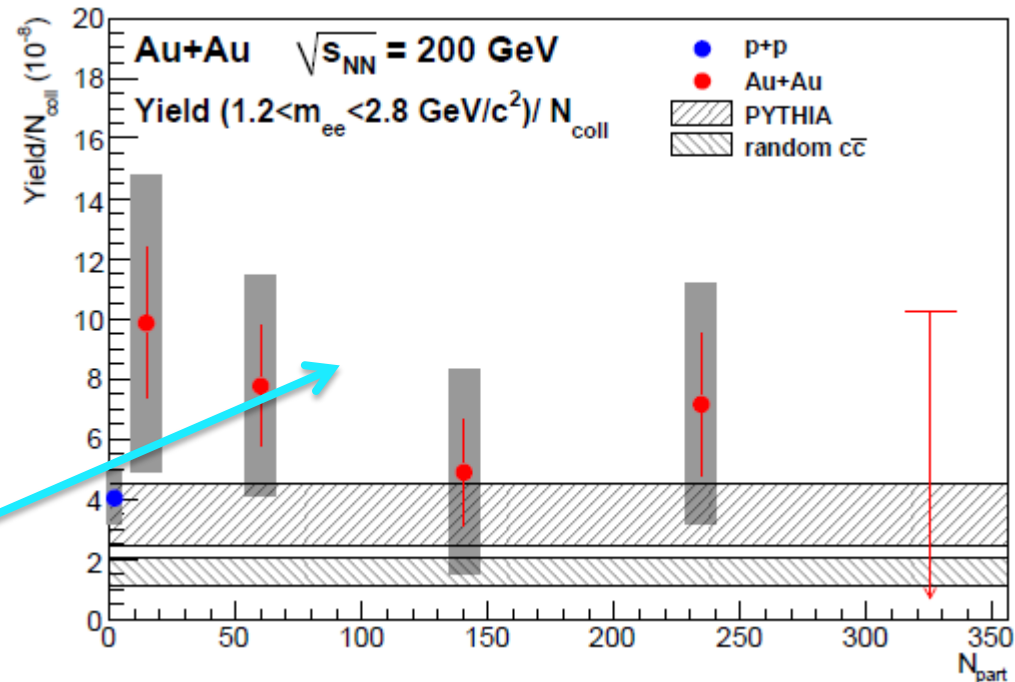
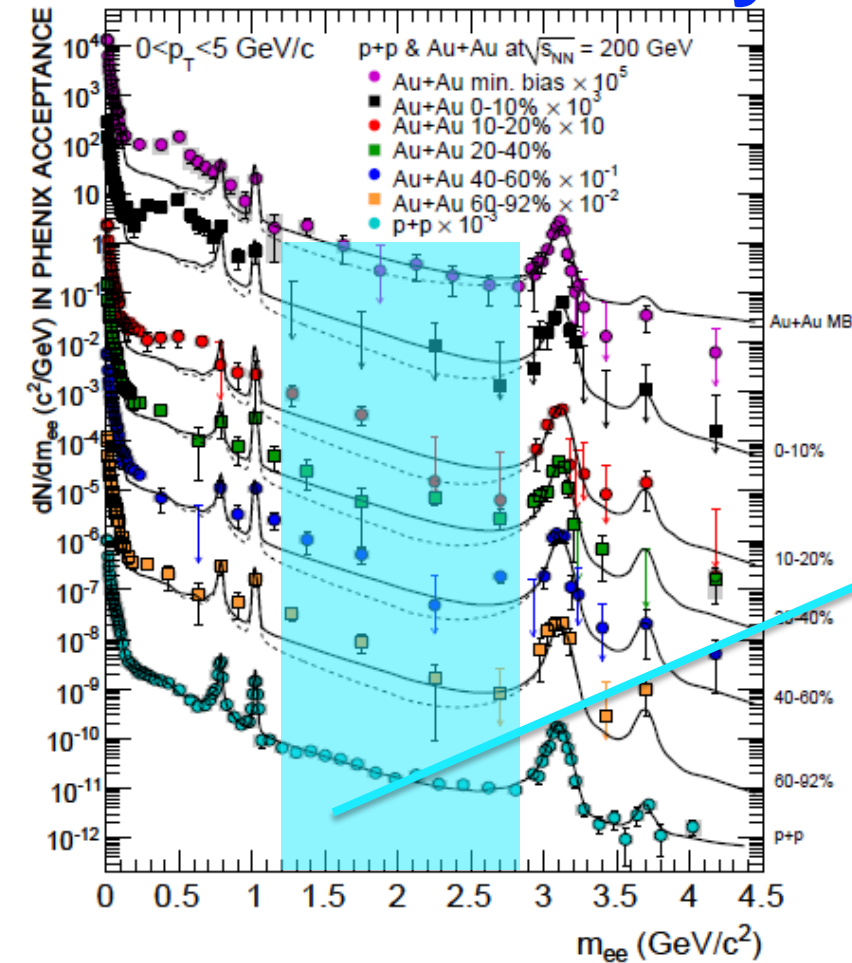


- π^0 region: consistent with cocktail
 - Low Mass Region: yield increases **faster than proportional to N_{part}**
- enhancement from binary annihilation ($\pi\pi$ or qq) ?

arXiv:0912.0244

Centrality	Enhancement ($\pm\text{stat} \pm\text{syst} \pm\text{model}$)
00-10 %	$7.6 \pm 0.5 \pm 1.5 \pm 1.5$
10-20 %	$3.2 \pm 0.4 \pm 0.1 \pm 0.6$
20-40 %	$1.4 \pm 1.3 \pm 0.02 \pm 0.3$
40-60 %	$0.8 \pm 0.3 \pm 0.03 \pm 0.2$
60-92 %	$1.5 \pm 0.3 \pm 0.001 \pm 0.3$
MB	$4.7 \pm 0.4 \pm 1.5 \pm 0.9$

Centrality Dependence IMR



arXiv:0912.0244

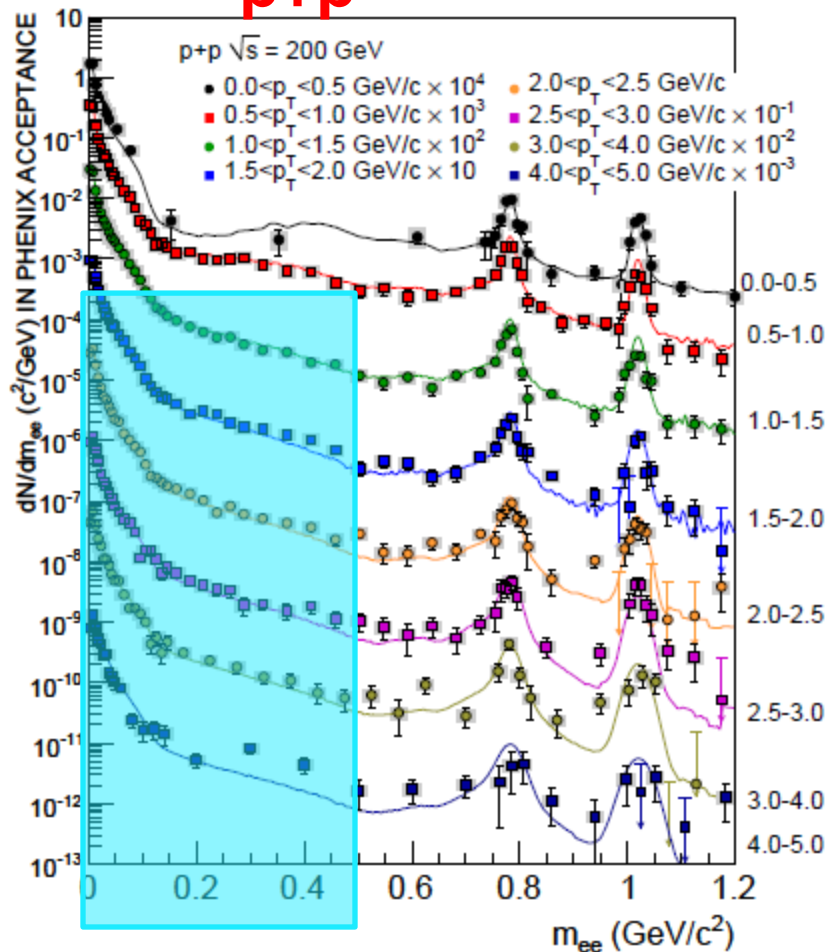
● charm is a hard probe

- total yield follows binary scaling (known from single e[±])
- intermediate mass yield shows the same scaling

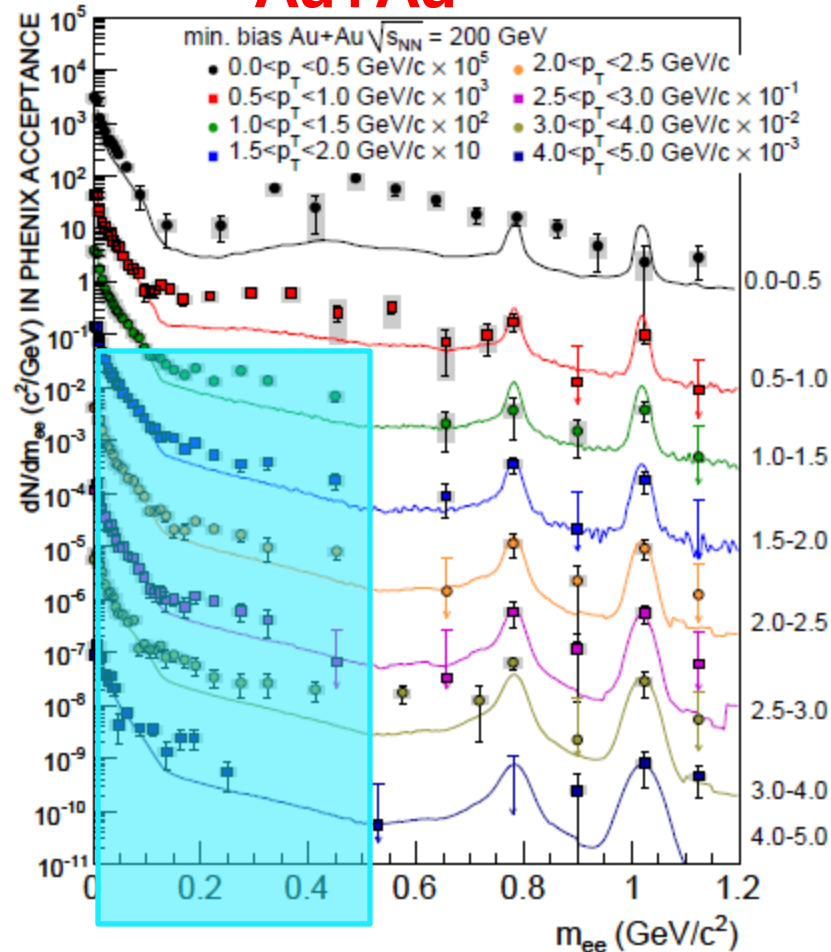
Momentum Dependence

arXiv:0912.0244

p+p



Au+Au



• p+p in agreement with cocktail

• Au+Au low mass enhancement concentrated at low p_T

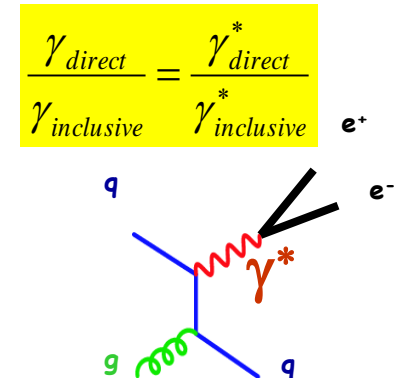
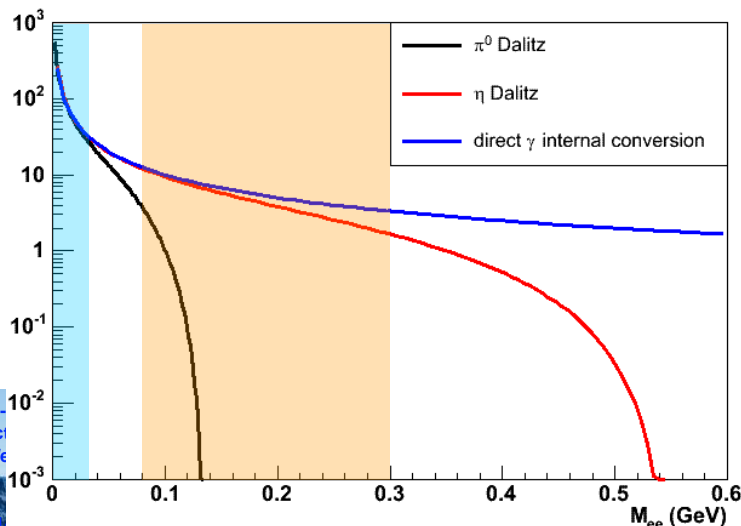
LMR I: Virtual Photons

- Any source of real γ can emit γ^* with very low mass.
 - If the $Q^2 (=m^2)$ of virtual photon is sufficiently small, the source strength should be the same
 - The ratio of real photon and quasi-real photon can be calculated by QED
- Real photon yield can be measured from virtual photon yield, which is observed as low mass e^+e^- pairs

Kroll-Wada formula

$$\frac{d^2 N}{dM_{ee} dN_\gamma} = \frac{2\alpha}{3\pi} \sqrt{1 - \frac{4m_e^2}{M_{ee}^2}} \left(1 + \frac{2m_e^2}{M_{ee}^2} \right) \frac{1}{M_{ee}} S$$

S : Process dependent factor



- Case of Hadrons

$$S = |F(M_{ee}^2)|^2 \left(1 - \frac{M_{ee}^2}{M_{hadron}^2} \right)^3$$

- Obviously $S = 0$ at $M_{ee} > M_{hadron}$

- Case of γ^*

- If $p_T^2 \gg M_{ee}^2$

$$S = 1$$

- Possible to separate hadron decay components from real signal in the proper mass window.

Determination of γ^* fraction, r

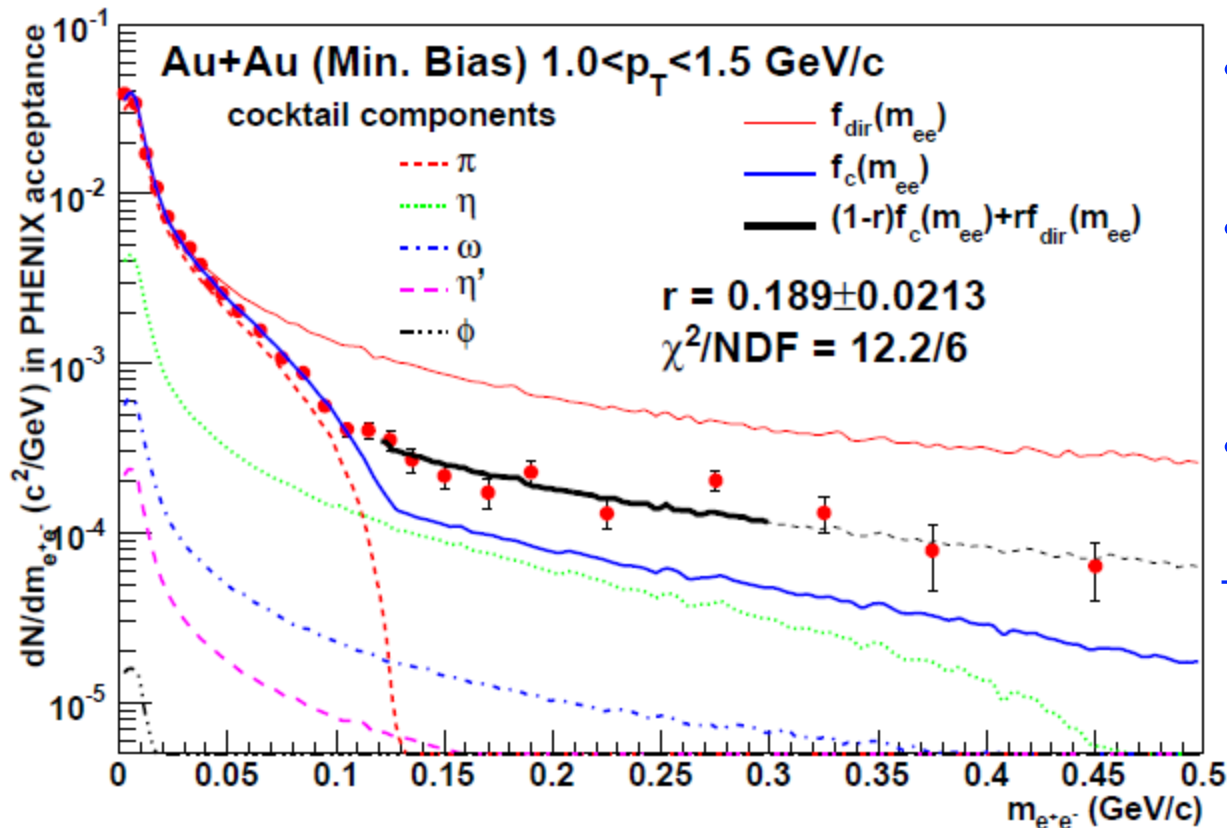
$$r = \text{direct } \gamma^* / \text{inclusive } \gamma^*$$

determined by fitting the following function for each p_T bin.

$$f_{data}(M_{ee}) = (1-r) \cdot f_{cocktail}(M_{ee}) + r \cdot f_{direct}(M_{ee})$$

- f_{direct} is given by Kroll-Wada formula with $S = 1$.
- $f_{cocktail}$ is given by cocktail components
- Normalized to the data for $m < 30 \text{ MeV}/c^2$
- Fit in $120\text{-}300 \text{ MeV}/c^2$ (insensitive to π^0 yield)
- Assuming direct γ^* mass shape: $\chi^2/\text{NDF} = 12.2/6$

arXiv:0804.4168
arXiv:0912.0244



Direct measurement of $S(m_{ee}, p_T)$

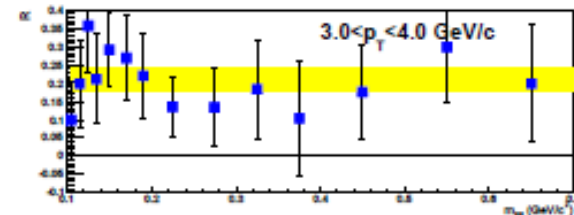
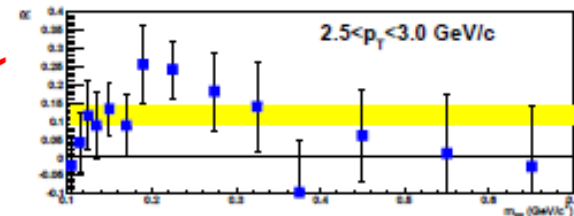
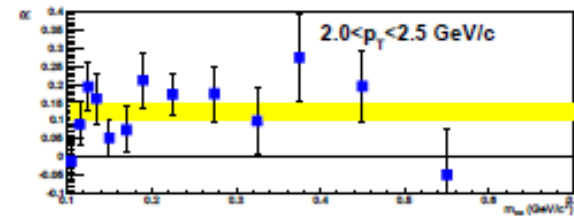
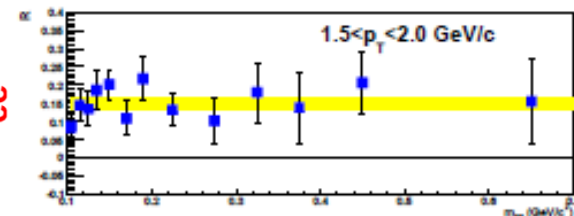
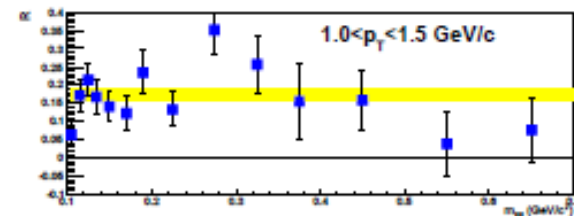
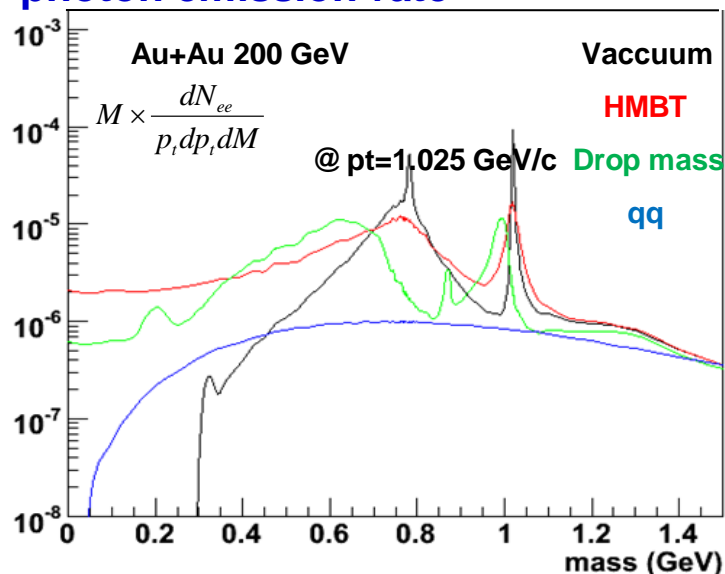
$$R(m, p_T) \simeq \frac{dN_{\gamma^*}^{\text{excess}}(m, p_T)/dp_T}{dN_{\gamma}^{\text{incl}}(p_T)/dp_T}$$

$$= S(m, p_T) dN_{\gamma}^{\text{direct}}(p_T)/dN_{\gamma}^{\text{incl}}(p_T)$$

No indication of strong modification of EM correlator at this high p_T region

(presumably the virtual photon emission is dominated by hadronic scattering process like $\pi+\rho \rightarrow \pi+\gamma^*$ or $q+g \rightarrow q+\gamma^*$)

Extrapolation to $M=0$ should give the real photon emission rate



R = (Data-cocktail) × M_{ee}

arXiv:0912.0244

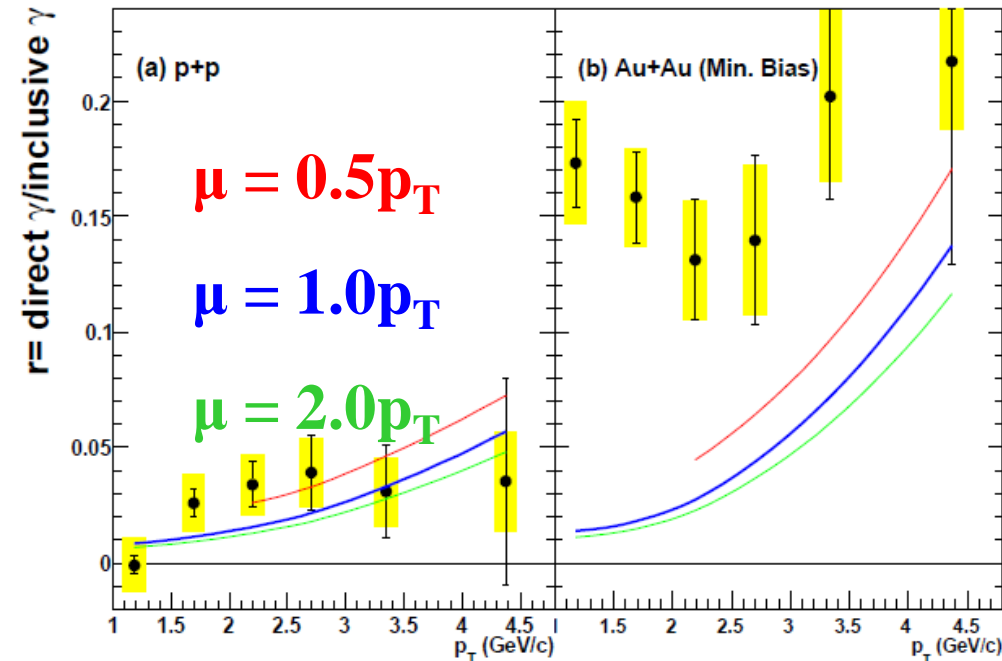
direct γ^* /inclusive γ^*

arXiv:0804.4168

arXiv:0912.0244

p+p

Au+Au



Base line

**Curves : NLO pQCD
calculations with different
theoretical scales done by
W. Vogelsang.**

$$\left(d\sigma_{\gamma}^{NLO} / dp_T \right) / \left(d\sigma_{\gamma}^{NLO} / dp_T + d\sigma_{\gamma}^{hadron} / dp_T \right)$$

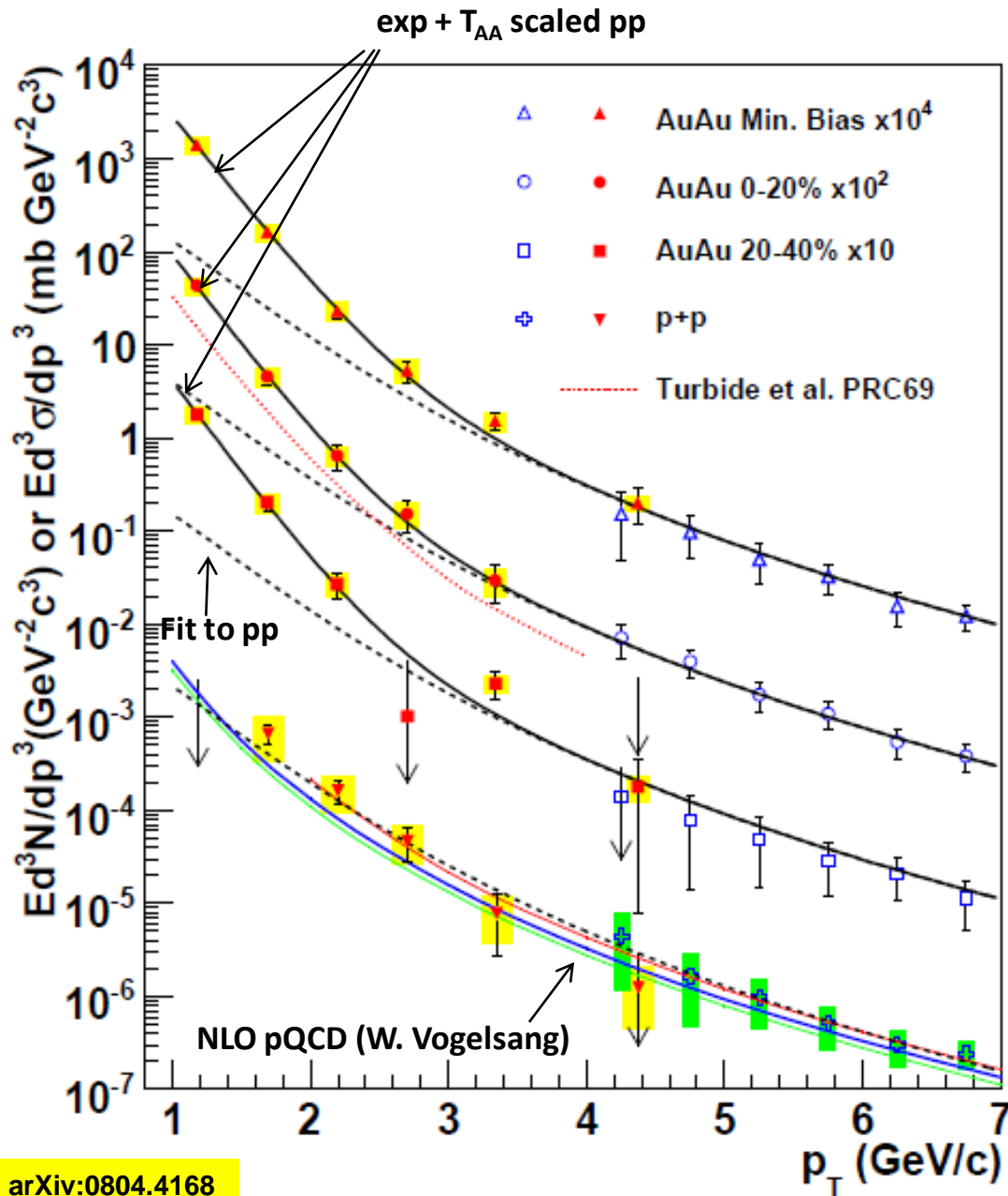
p+p

- Consistent with NLO pQCD
- better agreement with small μ

Au+Au

- Clear enhancement above NLO pQCD

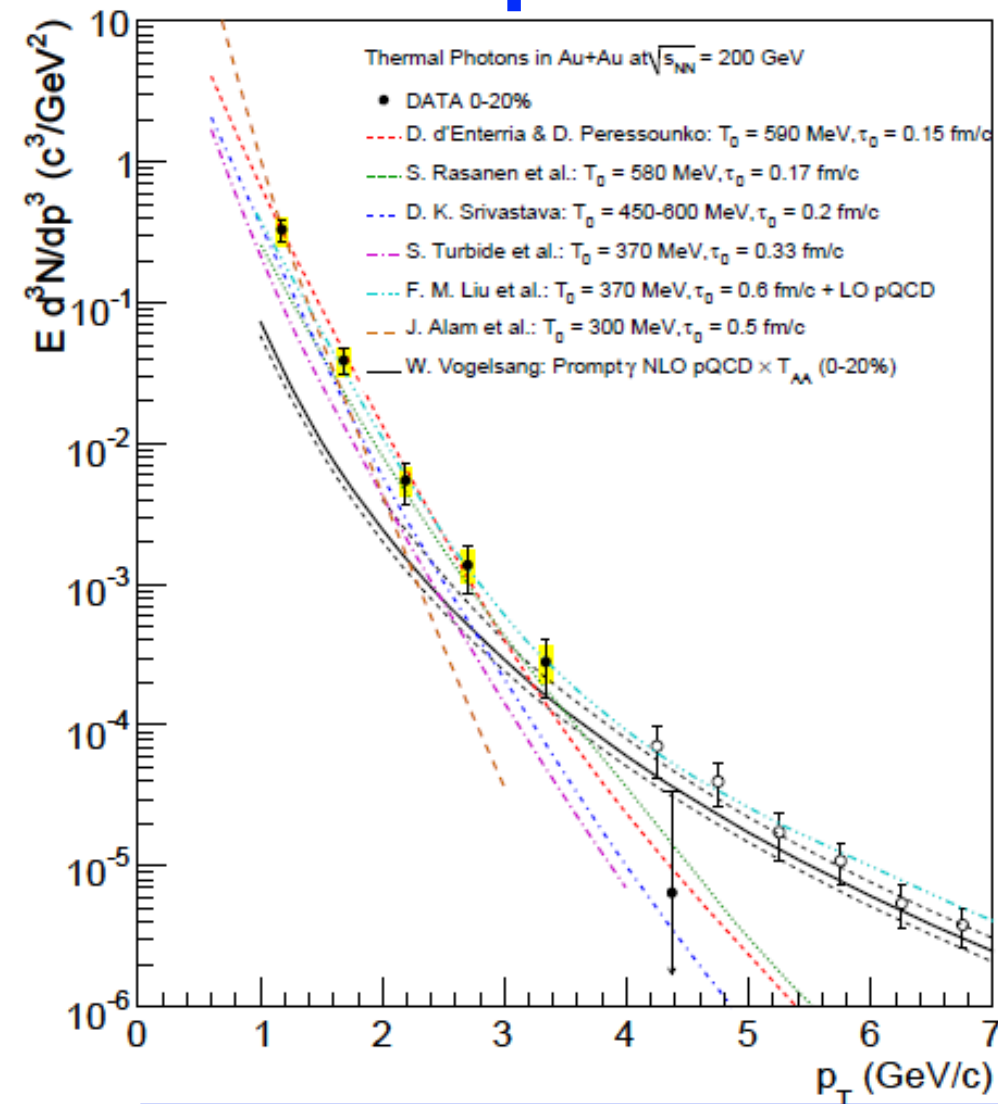
1st measurement of Thermal Radiation



- Direct photon
 - real ($p_T > 4 \text{ GeV}$)
 - virtual ($1 < p_T < 4 \text{ GeV}$ & $m_{ee} < 300 \text{ MeV}$)
- pQCD consistent with p+p down to $p_T = 1 \text{ GeV/c}$
- Au+Au above N_{coll} \times p+p for $p_T < 2.5 \text{ GeV/c}$
- Au+Au = pQCD + exp:

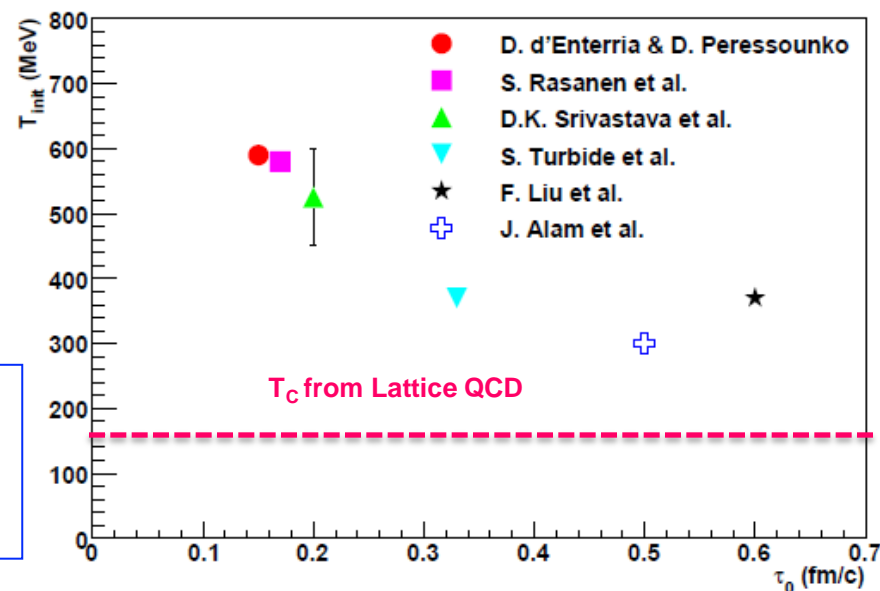
$$T_{\text{ave}} = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}}$$

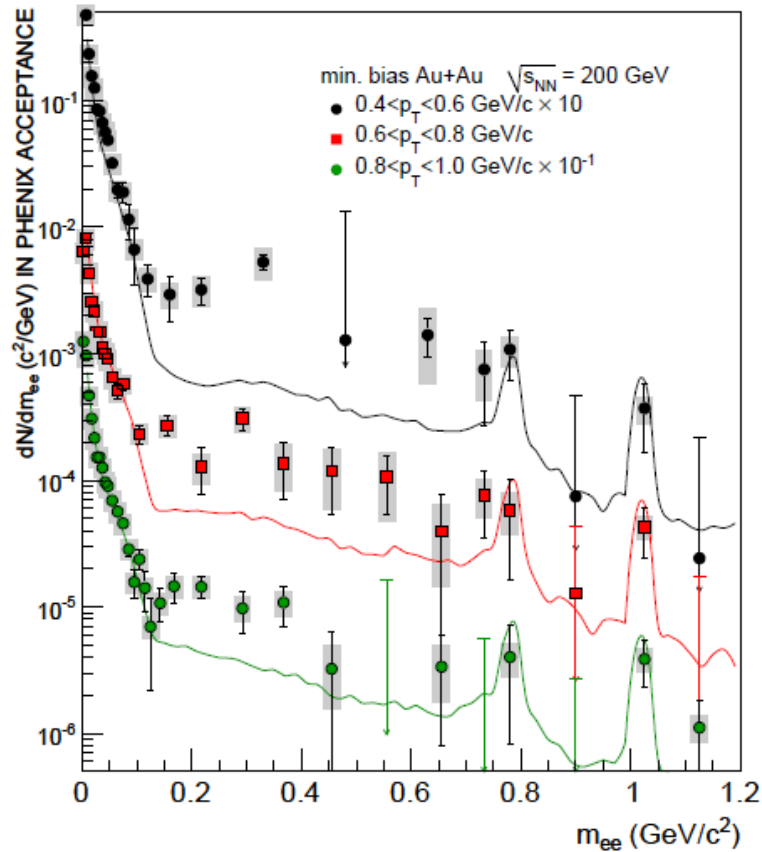
Comparison to Hydro models



From data: $T_{\text{ini}} > 220 \text{ MeV} > T_c$
 From models: $T_{\text{ini}} = 300 \text{ to } 600 \text{ MeV}$
 $\tau_0 = 0.15 \text{ to } 0.5 \text{ fm/c}$

- From data: Au+Au = pQCD + exp:
 $T_{\text{ave}} = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}}$
- Comparison to hydrodynamical models:
 - $p_T < 3 \text{ GeV/c}$ thermal contribution dominates over pQCD.
 - Assume formation of a hot QGP with
 $300 \text{ MeV} < T_{\text{init}} < 600 \text{ MeV}$
 $0.6 \text{ fm/c} < \tau_0 < 0.15 \text{ fm/c}$
 - Models reproduce the data within a factor of two.

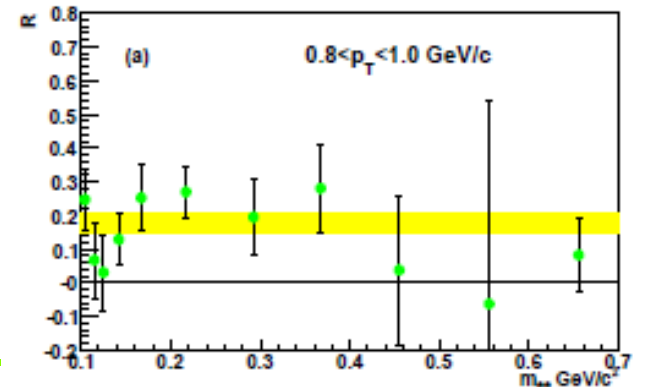
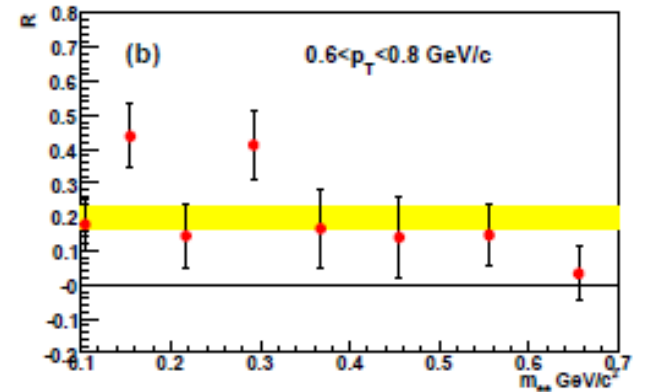
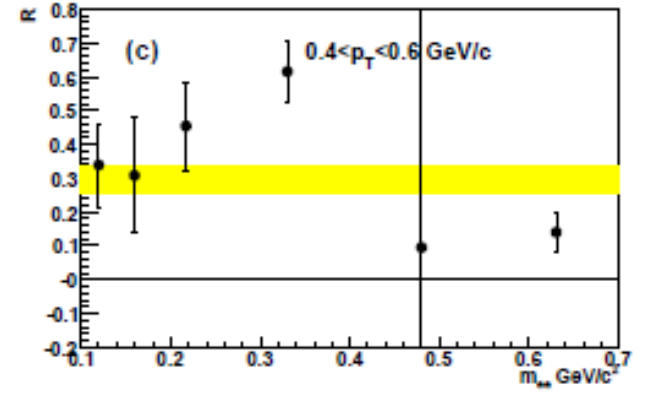




Large and broad
enhancement
→ $S(m_{ee})$ no
longer const

Towards lower p_T

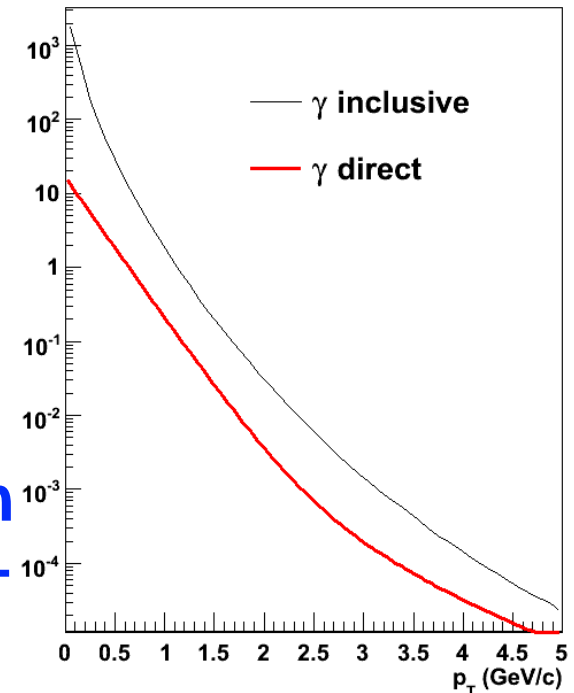
- Consistent with flat
→ $S(m_{ee})$ const
- $\langle R \rangle = 0.177 \pm 0.032$
- Consistent with higher p_T values



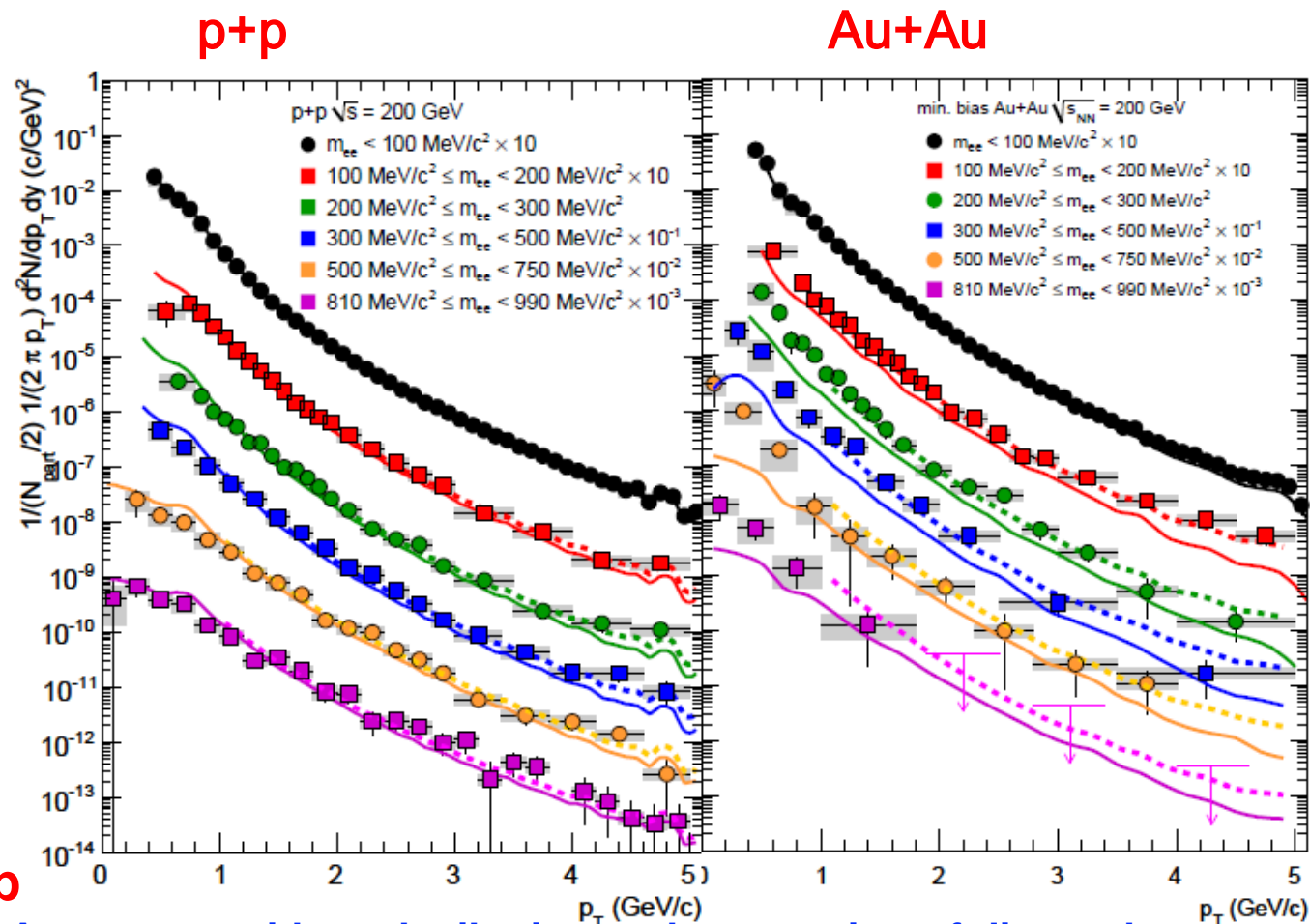
$R = (\text{Data-cocktail}) \times M_{ee}$

Extrapolate the spectrum of direct photons

- For $0.8 < p_T < 1.0$ GeV/c
 $\langle R \rangle = 0.177 \pm 0.032$
consistent with higher p_T
 - Decay photons spectrum
steeper than direct γ spectrum
- At lower p_T ,
the expected direct photon fraction
 $r = \text{direct } \gamma / \text{inclusive } \gamma = \text{direct } \gamma / (\text{direct} + \text{decay}) \gamma \leq 0.17$
- For $0.4 < p_T < 0.6$ GeV/c
 $R(m) > 0.17$
- The enhancement in the low p_T region is
larger than that expected from internal
conversion of direct photons.



Dilepton Spectra



Acceptance-
corrected

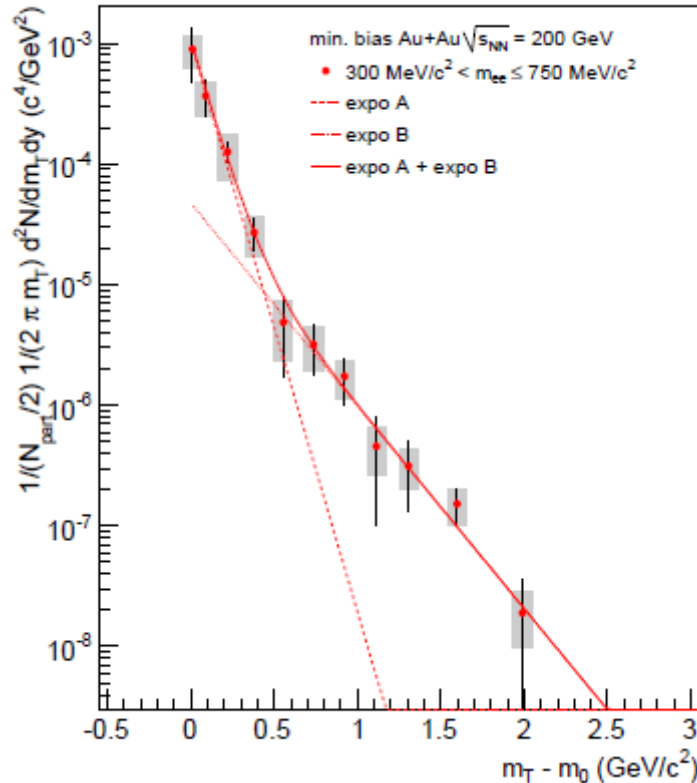
- **p+p**
 - Agreement with cocktail + internal conversion of direct photons
- **Au+Au**
 - $p_T > 1 \text{ GeV/c}$: small excess \rightarrow internal conversion of direct photons
 - $p_T < 1 \text{ GeV/c}$: large excess for $0.3 < m_{ee} < 1 \text{ GeV}$
 - \rightarrow Low temperature component with strong modification of EM correlator?

Average Temperature of the sources

arXiv:0912.0244

- $m_T - m_n$ spectrum of Excess = Data – (cocktail+charm)

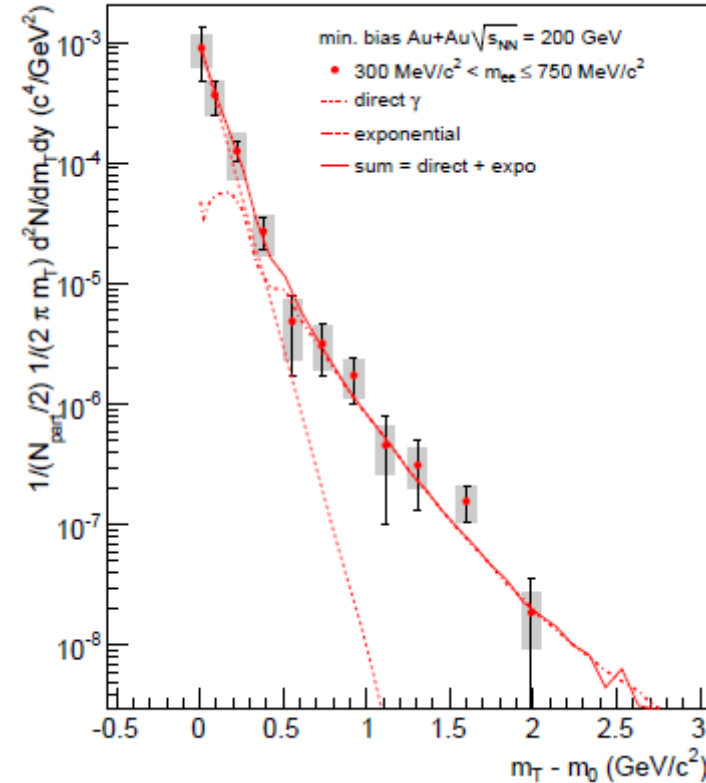
- **Fit:** $\frac{d^2 N}{2\pi m_T dm_T dy} = A_1 \cdot \exp -\frac{m_T}{T_1} + A_2 \cdot \exp -\frac{m_T}{T_2}$ or $\frac{d^2 N}{2\pi m_T dm_T dy} = A_1 \cdot \exp -\frac{m_T}{T_1} +$ **Direct γ**



$$T_1 = 92.0 \pm 11.4^{\text{stat}} \pm 8.4^{\text{syst}} \text{ MeV}$$

$$T_2 = 258.4 \pm 37.3^{\text{stat}} \pm 9.6^{\text{syst}} \text{ MeV}$$

$$\chi^2/\text{NDF} = 4.00/9$$



$$T_1 = 86.5 \pm 12.7^{\text{stat}} +11.0_{-28.4}^{\text{syst}} \text{ MeV}$$

$$T_\gamma = 221 \pm 19^{\text{stat}} \pm 19^{\text{syst}} \text{ MeV}$$

$$\chi^2/\text{NDF} = 16.6/11$$

T_2 consistent with

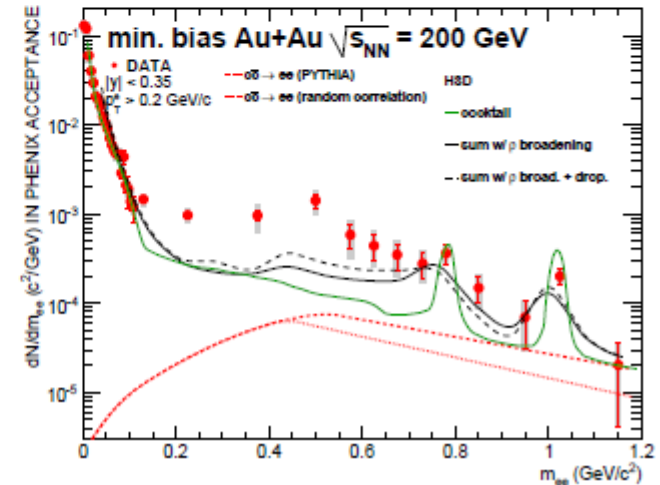
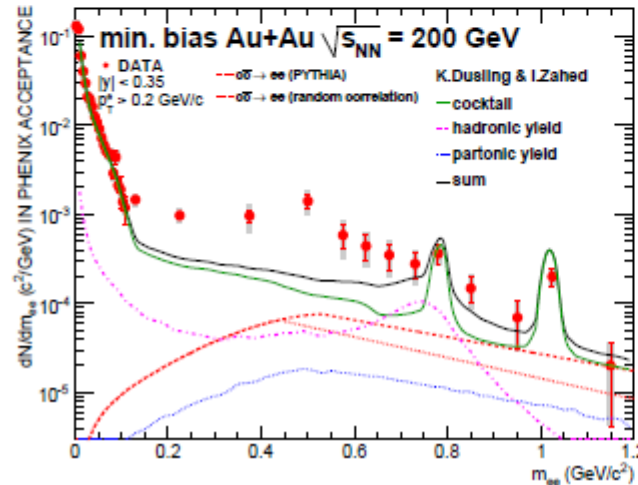
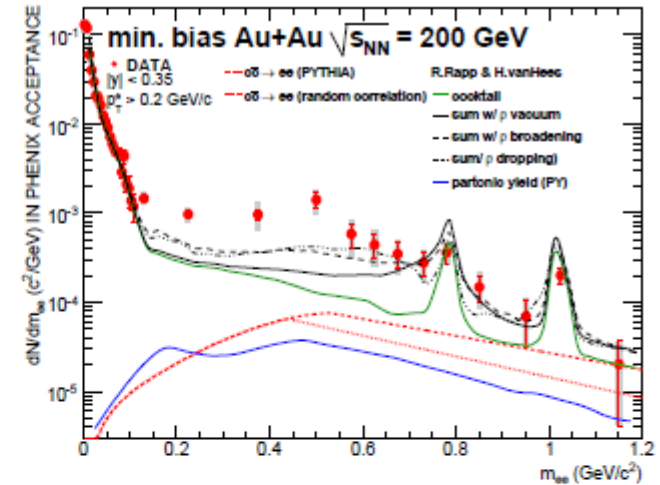
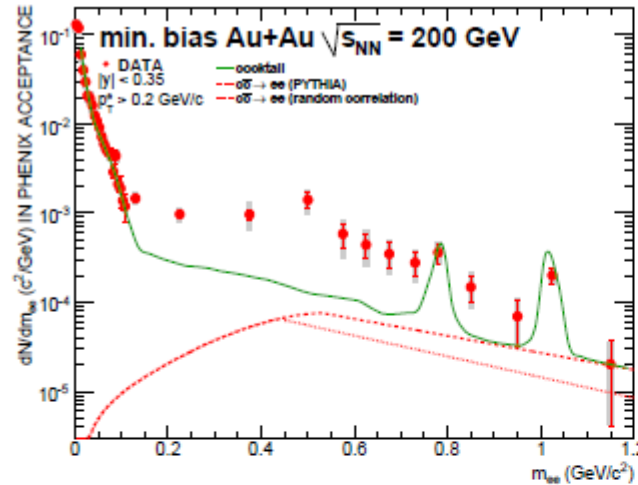
T_γ

low mass enhancement has inverse slope of ~100 MeV.

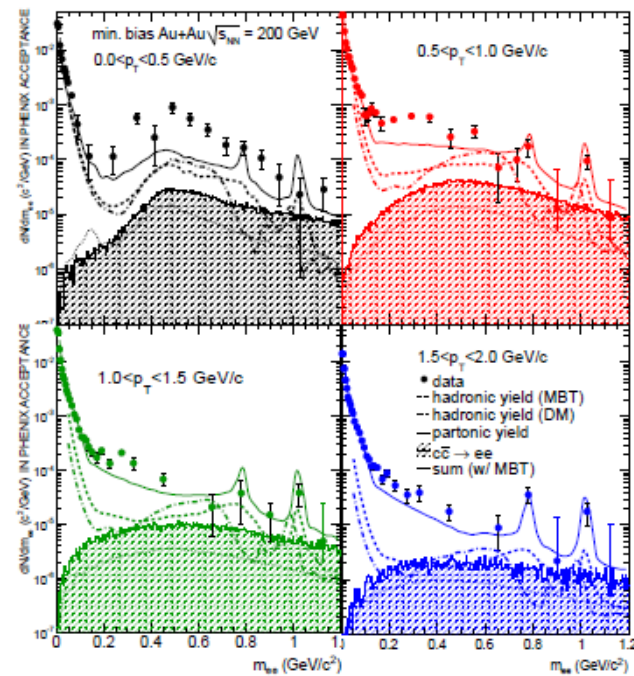
Theory comparison

- $\pi\pi$ annihilation + modified ρ spectral function
 - Broadening
 - Mass shifting
 - Both
- Insufficient to explain data

arXiv:0912.0244

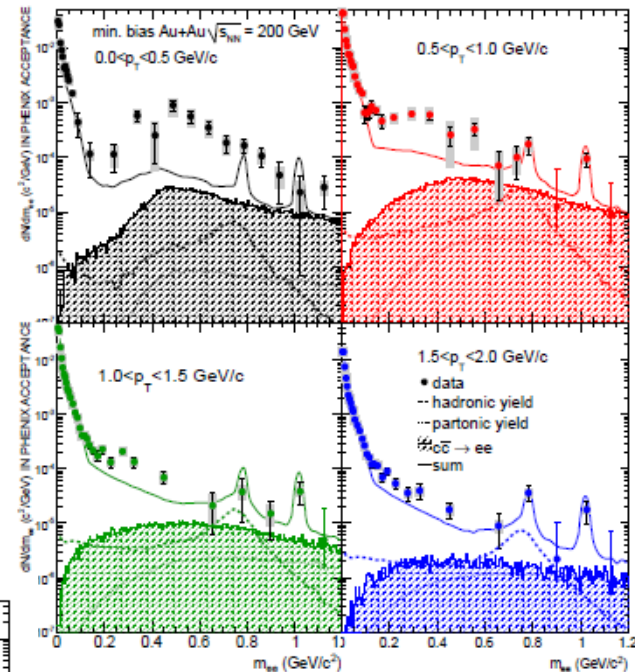
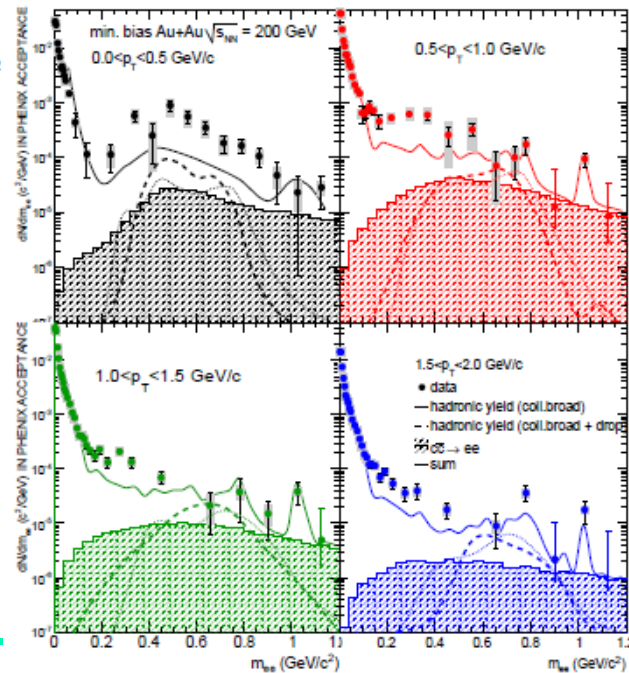


Theory comparison II



High p_T region:
here we isolated a
contribution arising from

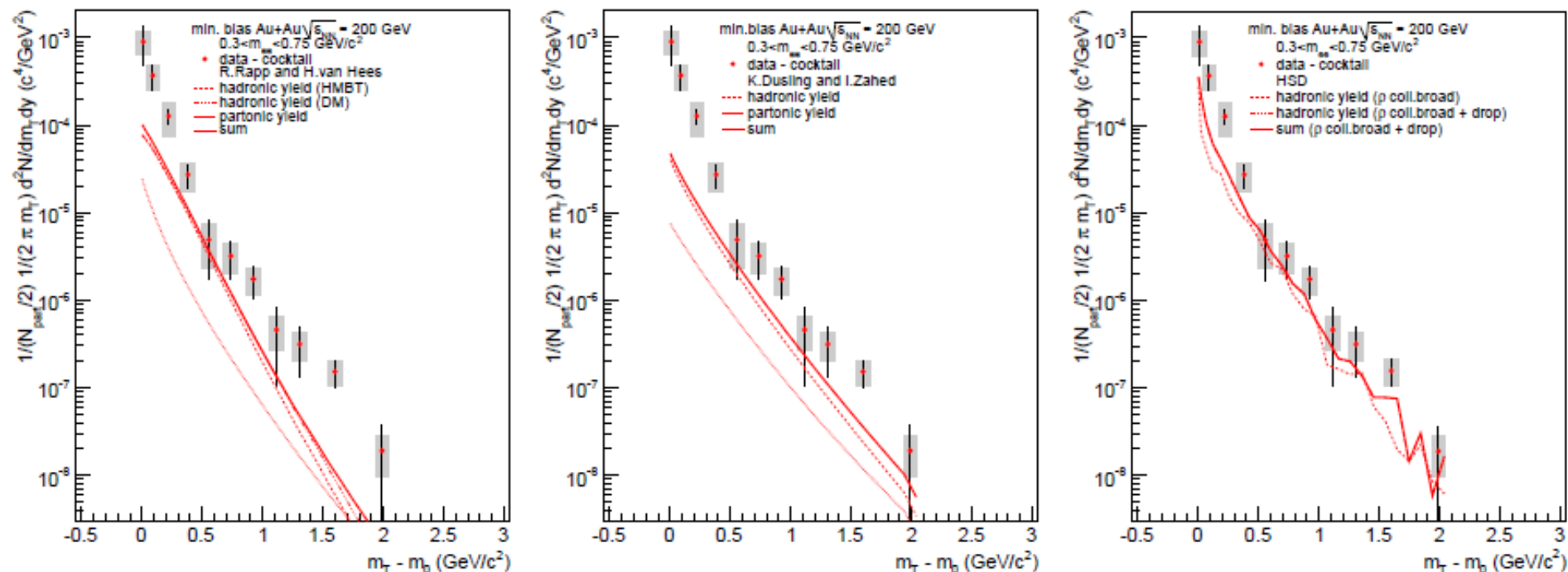
- $\pi + \rho \rightarrow \pi + \gamma^*$
(typically included)
- or
- $q + g \rightarrow q + \gamma^*$
(not included so far)



Low p_T region:
where the enhancement
becomes large and its
shape seems
incompatible with
unmodified $q + g \rightarrow q + \gamma^*$

Even when looking
differentially in various p_T
bins the theoretical
calculations are
insufficient to explain the
data

Theory comparison III



- The theoretical calculations are insufficient to explain the data
- High p_T : they are too soft (except for HSD which does not include partonic contribution)
- Low p_T : they are too hard to explain the enhancement ($T \sim 100$ MeV)

what is missing ?

Summary

- EM probes ideal “penetrating probes” of dense partonic matter created at RHIC
- Double differential measurement of dilepton emission rates can provide
 - Temperature of the matter
 - Medium modification of EM spectral function
- PHENIX measured dilepton continuum in p+p and Au+Au

p+p

Low Mass Region

- Excellent agreement with cocktail
- LMR I
deduce photon emission in agreement with pQCD
- LMR II
Excellent agreement with cocktail

Au+Au

Low Mass Region

- Enhancement above the cocktail $4.7 \pm 0.4^{\text{stat}} \pm 1.5^{\text{syst}} \pm 0.9^{\text{model}}$
- LMR I
deduce photon emission exponential above pQCD, $T > 200$ MeV
- LMR II
 - Centrality dependency: increase faster than N_{part}
 - p_T dependency: enhancement concentrated at low p_T , $T \sim 100$ MeV

Intermediate Mass Region

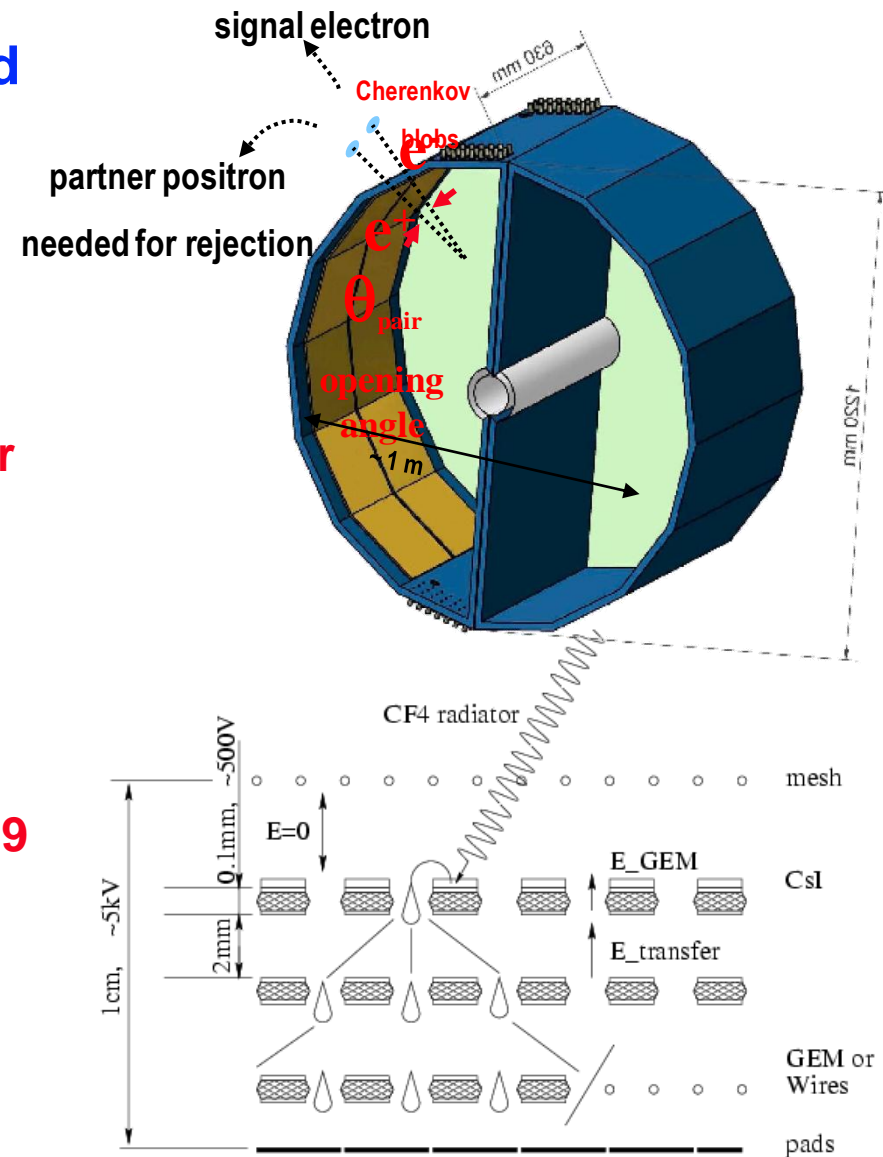
- Extract charm and bottom cross section

Intermediate Mass Region

- Agreement with PYTHIA: coincidence?

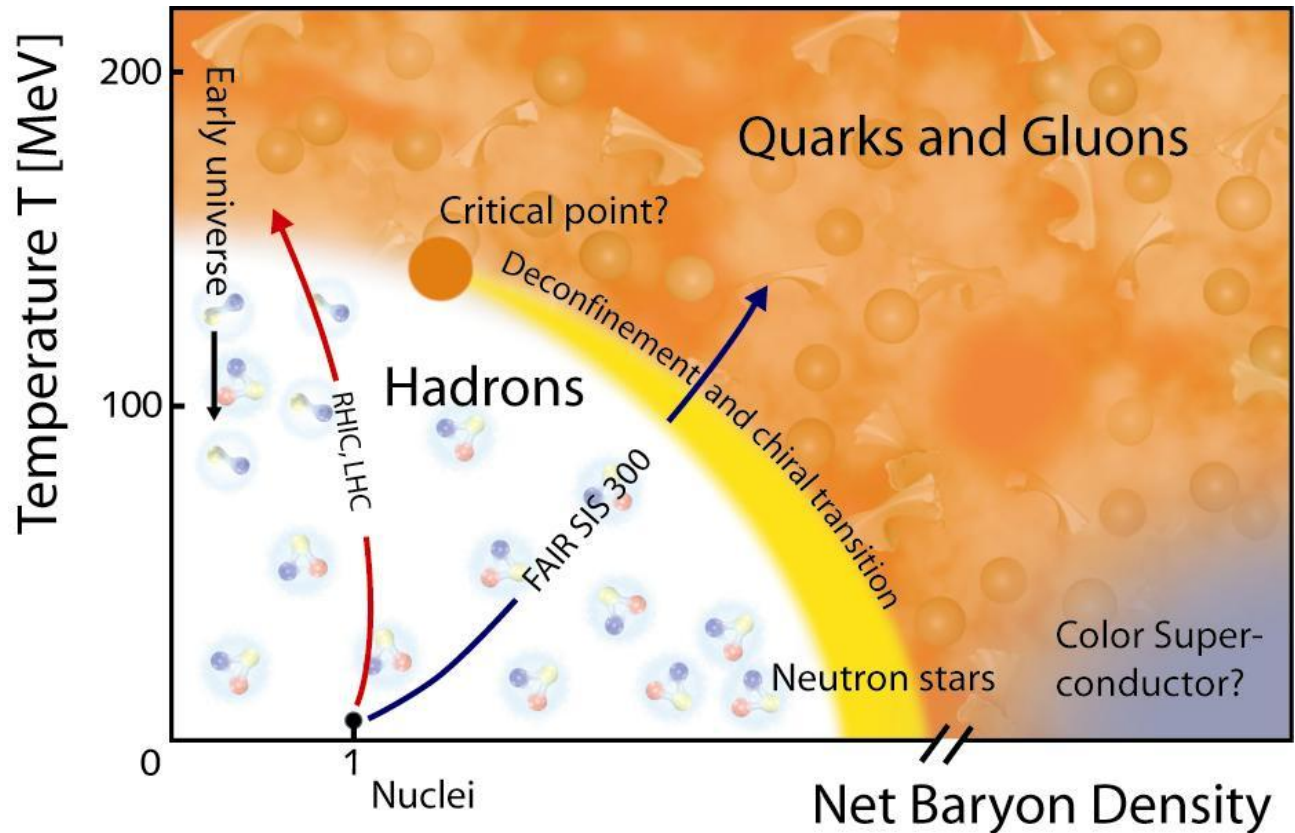
Near-Future Measurements at RHIC

- Improve measurement in the LMR
 - reduce combinatorial background
 - Hadron Blind Detector: Dalitz rejection via opening angle
 - identify e^\pm in field free region
 - veto signal e^\pm with partner
- HBD concept
 - windowless CF4 Cherenkov detector
 - 50 cm radiator length
 - CsI reflective photocathode
 - triple GEM with pad readout
- HBD time scale
 - Proof of principle in 2007
 - Successful data taking with p+p 2009
 - Ready for Au+Au in 2010
- Improve measurement in the IMR
 - disentangle charm and thermal contribution
 - Silicon Vertex Detector



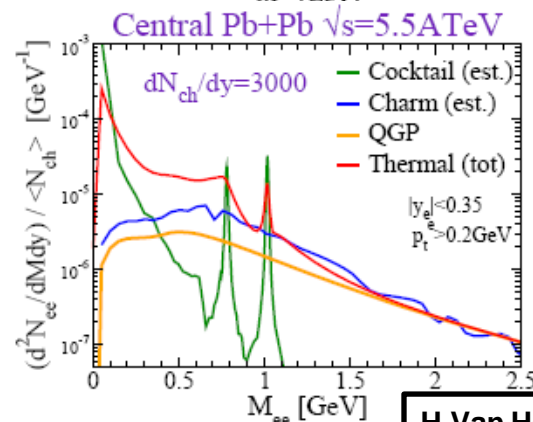
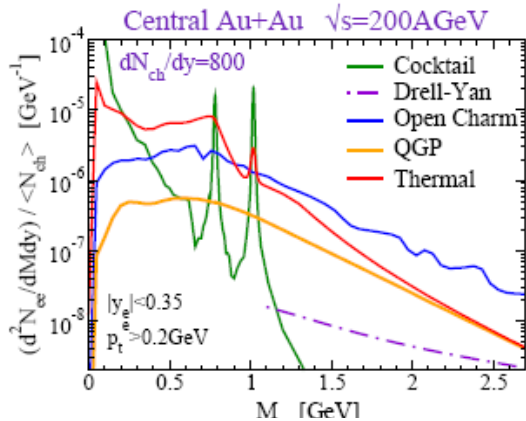
Future

- dielectron measurements in high energy HI collisions
 - go to even higher energy, i.e. maximum temperature → LHC
 - go back to lower energy, i.e. maximum baryon density → FAIR
 - stay at RHIC
 - HBD (and silicon vertex upgrades) for improved experiments at maximum RHIC energy
 - “low energy” program, i.e. use RHIC as a storage ring instead of an accelerator



EM Probes at LHC

DILEPTONS



H. Van Hees and R. Rapp

• At higher dN/dy thermal radiation from hadron gas dominant for $m < 1\text{ GeV}$

• For $m > 1\text{ GeV}$ relatively stronger QGP radiation: comparable to DD but energy loss???

PHOTONS

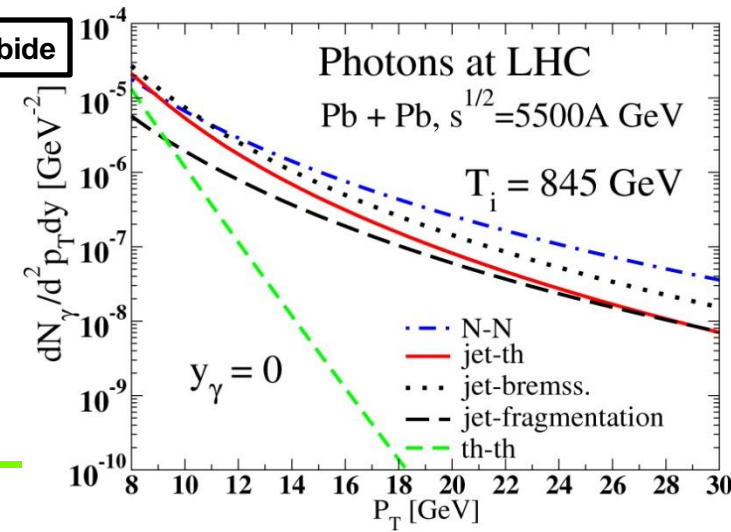
Low p_T

- Thermal/bulk photons (QGP + hadronic phase)
 - Jet-photon conversion, Induced photon bremsstrahlung
 - Cross sections forward/backward peaked
 - Yields approximately proportional to the jet distributions \rightarrow Sensitivity to *early* time jet distributions
 - Longer path leads to increased production \rightarrow Negative v_2

High p_T

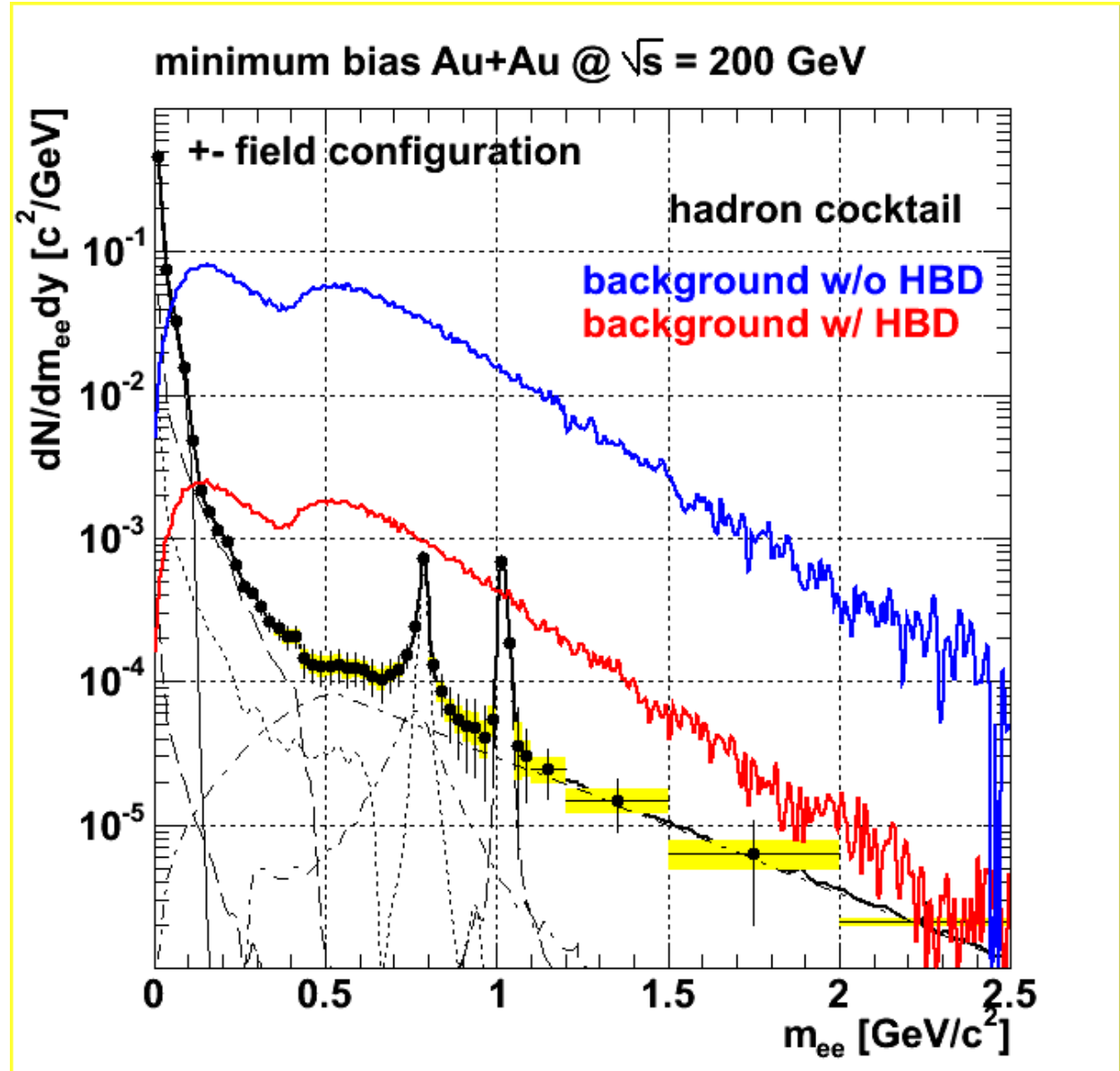
- Prompt photons from initial hard processes
 - No final state effects at all.
- Fragmentation/vacuum bremsstrahlung
 - Sensitivity to medium effects in the final state

S. Turbide



Projections for RHIC: high energy

- impact of the HBD & modified B field at top energy
- recorded collisions
 - 10^9
 - 10^{10}



Projections for RHIC: low energy

- collision rates decrease with decreasing beam energy

- ~40 Hz @ 8.6 GeV/u
- 2 weeks run time gives ~50M events
- HBD 'eliminates' sys. uncertainty
- electron cooling in RHIC can increase the collision rate by a factor 10
→ ~500M events in 2 weeks

→ very promising!!!

minimum bias Au+Au @ $\sqrt{s_{NN}} = 17.2$ GeV

